

Maximizing Top-down Constraints for Unification-based Systems

Noriko Tomuro

School of Computer Science, Telecommunications and Information Systems

DePaul University

Chicago, IL 60604

cphdnt@ted.cs.depaul.edu

Abstract

A left-corner parsing algorithm with top-down filtering has been reported to show very efficient performance for unification-based systems. However, due to the non-termination of parsing with left-recursive grammars, top-down constraints must be weakened. In this paper, a general method of maximizing top-down constraints is proposed. The method provides a procedure to dynamically compute **restrictor**, a minimum set of features involved in an infinite loop for every propagation path; thus top-down constraints are maximally propagated.

1 Introduction

A left-corner parsing algorithm with top-down filtering has been reported to show very efficient performance for unification-based systems (Carroll, 1994). In particular, top-down filtering seems to be very effective in increasing parse efficiency (Shann, 1991). Ideally all top-down expectation should be propagated down to the input word so that unsuccessful rule applications are pruned at the earliest time. However, in the context of unification-based parsing, left-recursive grammars have the formal power of a Turing machine, therefore detection of all infinite loops due to left-recursion is impossible (Shieber, 1992). So, top-down constraints must be weakened in order for parsing to be guaranteed to terminate.

In order to solve the nontermination problem, Shieber (1985) proposes *restrictor*, a statically predefined set of features to consider in propagation, and *restriction*, a filtering function which removes the features not in *restrictor* from top-down expectation. However, not only does this approach fail to provide a method to automatically generate the restrictor set, it may weaken the predicative power of top-down expectation more than necessary: a globally defined *restrictor* can only specify the least common features for all propagation paths.

In this paper, a general method of maximizing top-down constraints is proposed. The method provides a procedure to dynamically compute **restrictor**, a minimum set of features involved in an infinite loop, for every propagation path. Features in this set are selected by the *detection function*, and will be ignored in top-down propagation. Using **restrictor**, only the relevant features particular to the propagation path are ignored, thus top-down constraints are maximally propagated.

2 Notation

We use notation from the PATR-II formalism (Shieber, 1986) and (Shieber, 1992). Directed acyclic graphs (dags) are adopted as the representation model. The symbol \doteq is used to represent the equality relation in the unification equations, and the symbol \cdot used in the form of $p1 \cdot p2$ represents the path concatenation of $p1$ and $p2$.

The *subsumption* relation is defined as “Dag D subsumes dag D' if D is more general than D' .” The *unification* of D and D' is notated by $D \sqcup D'$.

The extraction function $D/p1$ extracts the subdag under path $p1$ for a given D , and the embedding function $D \setminus p1$ injects D into the enclosing dag D' such that $D'/p1 = D$. The filtering function ρ is similar to (Shieber, 1992): $\rho(D)$ returns a copy of D in which some features may be removed. Note that in this paper **restrictor** specifies the features to be removed by ρ , whereas in (Shieber, 1985, 1992) restrictor specifies the features to be retained by restriction which is equivalent to ρ .

3 Top-down Propagation

Top-down propagation can be precomputed to form a *reachability table*. Each entry in the table is a compiled dag which represents the relation between a non-terminal category and a rule used to rewrite the constituents in the *reachability* relation (i.e., reflexive, transitive closure of the left-corner path).

For example, consider the following fragment of a grammar used in the syntax/semantics integrated system called LINK (Lytinen, 1992):

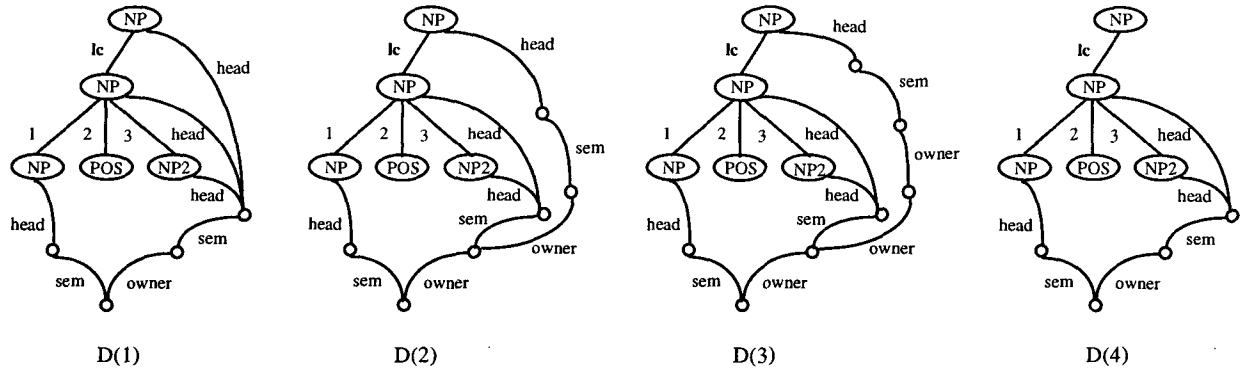


Figure 1: DAGs used in the example

$$\begin{aligned}
 r1 : NP_0 &\rightarrow NP_1 POS NP2 \\
 \langle NP_0 \text{ head} \rangle &= \langle NP_2 \text{ head} \rangle \\
 \langle NP_0 \text{ head sem owner} \rangle &= \langle NP_1 \text{ head sem} \rangle
 \end{aligned}$$

(This rule is used to parse phrases such as “Kris’s desk”.)

The dag $D(1)$ in Figure 1¹ represents the initial application of $r1$ to the category NP . Note that the subdag under the lc arc is the rule used to rewrite the constituent on the left-corner path, and the paths from the top node represent which top-down constraints are propagated to the lower level.

Top-down propagation works as follows: given a dag D that represents a reachability relation and a rule dag R whose left-hand side category (i.e., root) is the same as D ’s left-corner category (i.e., under its (lc 1) path), the resulting dag is $D1 = \rho(D') \sqcup (R \setminus lc)$, where D' is a copy of D in which all the numbered arcs and lc arc are deleted and the subdag which used to be under the (lc 1) path is promoted to lie under the lc arc. Dags after the next two recursive applications of $r1$ ($D(2)$ and $D(3)$ respectively²) are shown in Figure 1.

Notice the filtering function ρ is applied only to D' . In the case when $\rho(D') = nil$, the top node in $D1$ will have no connections to the rule dag under the lc arc. This means no top-down constraints are propagated to the lower level, therefore the parsing becomes pure bottom-up.

In many unification-based systems, subsumption is used to avoid redundancy: a dag is recorded in the table if it is not subsumed by any other one. Therefore, if a newly created dag is incompatible or more general than existing dags, rule application continues. In the above example, $D(2)$ is incompatible with $D(1)$ and therefore gets entered into the table. The *owner* arc keeps extending in the subsequent recursive applications (as in $D(3)$), thus the propagation goes into an infinite loop.

¹Category symbols are directly indicated in the dag nodes for simplicity.

²In this case, ρ is assumed to be an identity function.

3.1 Proposed Method

Let A be a dag created by the first application of the rule R and B be a dag created by the second application during the top-down propagation.³ In the proposed method, A and B are first checked for subsumption. If B is subsumed by A , the propagation for this path terminates. Otherwise a possible loop is detected. The detection function (described in the next subsection) is called on A and B and selected features are added to the **restrictor** set.⁴ Then, using the updated **restrictor**, propagation is re-done from A .

When R is applied again yielding B' , while B' is not subsumed by A , the following process is repeated: if B' is incompatible with A , the detection function is called on A and B' and propagation is re-done from A . If B' is more general than A , then A is replaced by B' (thereby keeping the most general dag for the path) and propagation is re-done from B' . Otherwise the process stops for this propagation path. Thus, the propagation will terminate when enough features are detected, or when **restrictor** includes all the (finite number of) features in the grammar.⁵

In the example, when the detection function is called on $D(1)$ and $D(2)$ after the first recursive application, the feature *owner* is selected and added to **restrictor**. After the propagation is re-done from $D(1)$, the resulting dag $D(4)$ becomes more general than $D(1)$.⁶ Then $D(1)$ is replaced by $D(4)$, and the propagation is re-done once again. This time it results the same $D(4)$, therefore the propagation

³In the case of indirect recursion, there are some intervening rule applications between A and B .

⁴A separate **restrictor** must be kept for each propagation path.

⁵In reality, category feature will never be in **restrictor** because the same rule R is applied to derive both A and B' .

⁶Remember $D(4) = \rho(D(1)') \sqcup (r1 \setminus lc)$ where ρ filters out *owner* arc.

terminates.

3.2 Detection Function

The detection function compares two dags X and Y by checking every constraint (unification equation) x in X with any inconsistent or more general constraint y in Y . If such a constraint is found, the function selects a path in x or y and detects its last arc/feature as being involved in the possible loop.⁷

If x is the path constraint $p1 \doteq p2$ where $p1$ and $p2$ are paths of length ≥ 1 , features may be detected in the following cases:⁸

- (case 1) If both $p1$ and $p2$ exist in Y , and there exists a more general constraint y in Y in the form $p1 \cdot p3 \doteq p2 \cdot p3$ (length of $p3$ is also ≥ 1), the path $p3$ is selected;
- (case 2) If both $p1$ and $p2$ exist in Y , but the subdag under $p1$ and the subdag under $p2$ do not unify, or if neither $p1$ nor $p2$ exists in Y , whichever of $p1$ or $p2$ does not contain the **lc** arc, or either if they both contain the **lc** arc, is selected; and
- (case 3) If either $p1$ or $p2$ does not exist in Y , the one which does not exist in Y is selected.

If x is the constant constraint $p1 \doteq c$ (where c is some constant), features may be detected in the following cases:

- (case 4) If there exists an incompatible constraint y of the form $p1 \doteq d$ where $d \neq c$ in Y , or if there is no path $p1$ in Y , $p1$ is selected; and
- (case 5) If there exists an incompatible constraint y of the form $p1 \cdot p2 \doteq c$, then $p2$ is selected.

4 Related Work

A similar solution to the nontermination problem with unification grammars in Prolog is proposed in (Samuelsson, 1993). In this method, an operation called anti-unification (often referred to as *generalization* as the counterpart of unification) is applied to the root and leaf terms of a cyclic propagation, and the resulting term is stored in the reachability table as the result of applying restriction on both terms. Another approach taken in (Haas, 1989) eliminates the cyclic propagation by replacing the features in the root and leaf terms with new variables.

The method proposed in this paper is more general than the above approaches: if the selection ordering is imposed in the detection function, features in **restrictor** can be collected incrementally as the cyclic propagations are repeated. Thus, this method

⁷This scheme may be rather conservative.

⁸Note the cases in this section do **not** represent all possible situations.

is able to create a less restrictive **restrictor** than these other approaches.

5 Discussion and Future Work

The proposed method has an obvious difficulty: the complexity caused by the repeated propagations could become overwhelming for some grammars. However, in the experiment on LINK system using a fairly broad grammar (over 130 rules), precompilation terminated with only a marginally longer processing time.

In the experiment, all features (around 40 syntactic/semantic features) except for one in the example in this paper were able to be used in propagation. In the preliminary analysis, the number of edges entered into the chart has decreased by 30% compared to when only the category feature (i.e., context-free backbone) was used in propagation.

For future work, we intend to apply the proposed method to other grammars. By doing the empirical analysis of precompilation and parse efficiency for different grammars, we will be able to conclude the practical applicability of the proposed method. We also intend to do more exhaustive case analysis and investigate the selection ordering of the detection function. Although the current definition covers most cases, it is by no means complete.

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