

# Learning Part-of-Speech Guessing Rules from Lexicon: Extension to Non-Concatenative Operations\*

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## Abstract

One of the problems in part-of-speech tagging of real-word texts is that of unknown to the lexicon words. In (Mikheev, 1996), a technique for fully unsupervised statistical acquisition of rules which guess possible parts-of-speech for unknown words was proposed. One of the over-simplification assumed by this learning technique was the acquisition of morphological rules which obey only simple concatenative regularities of the main word with an affix. In this paper we extend this technique to the non-concatenative cases of suffixation and assess the gain in the performance.

## 1 Introduction

Part-of-speech (POS) taggers are programs which assign a single POS-tag to a word-token, provided that it is known what parts-of-speech this word can take on in principle. In order to do that taggers are supplied with a lexicon that lists possible POS-tags for words which were seen at the training phase. Naturally, when tagging real-word texts, one can expect to encounter words which were not seen at the training phase and hence not included into the lexicon. This is where word-POS guessers take their place - they employ the analysis of word features, e.g. word leading and trailing characters to figure out its possible POS categories. Currently, most of the taggers are supplied with a word-guessing component for dealing with unknown words. The most popular guessing strategy is so-called "ending guessing" when a possible set of POS-tags for a word is guessed solely on the basis of its trailing characters. An example of such guesser is the guesser supplied with the Xerox tagger (Kupiec, 1992). A similar approach was taken

in (Weischedel et al., 1993) where an unknown word was guessed given the probabilities for an unknown word to be of a particular POS, its capitalisation feature and its ending. In (Brill, 1995) a system of rules which uses both ending-guessing and more morphologically motivated rules is described. Best of these methods were reported to achieve 82–85% of tagging accuracy on unknown words, e.g. (Brill, 1995; Weischedel et al., 1993).

In (Mikheev, 1996) a cascading word-POS guesser is described. It applies first morphological prefix and suffix guessing rules and then ending-guessing rules. This guesser is reported to achieve higher guessing accuracy than quoted before which in average was about by 8-9% better than that of the Xerox guesser and by 6-7% better than that of Brill's guesser, reaching 87-92% tagging accuracy on unknown words.

There are two kinds of word-guessing rules employed by the cascading guesser: morphological rules and ending guessing rules. Morphological word-guessing rules describe how one word can be guessed given that another word is known. In English, as in many other languages, morphological word formation is realised by affixation: prefixation and suffixation, so there are two kinds of morphological rules: suffix rules ( $A^s$ ) — rules which are applied to the tail of a word, and prefix rules ( $A^p$ ) — rules which are applied to the beginning of a word. For example, the prefix rule:

$A^p$  : [un (VBD VBN) (JJ)]

says that if segmenting the prefix "un" from an unknown word results in a word which is found in the lexicon as a past verb and participle (VBD VBN), we conclude that the unknown word is an adjective (JJ). This rule works, for instance, for words [developed → undeveloped]. An example of a suffix rule is:

$A^s$  : [ed (NN VB) (JJ VBD VBN)]

This rule says that if by stripping the suffix "ed" from an unknown word we produce a word with the POS-class noun/verb (NN VB), the unknown word is of the class adjective/past-verb/participle (JJ VBD VBN). This rule works, for instance, for

\*Some of the research reported here was funded as part of EPSRC project IED4/1/5808 "Integrated Language Database".

word pairs [book →booked], [water →watered], etc.

Unlike morphological guessing rules, ending-guessing rules do not require the main form of an unknown word to be listed in the lexicon. These rules guess a POS-class for a word just on the basis of its ending characters and without looking up its stem in the lexicon. For example, an ending-guessing rule

$A^c$ : [ing → (JJ NN VBG)]

says that if a word ends with “ing” it can be an adjective, a noun or a gerund. Unlike a morphological rule, this rule does not ask to check whether the substring preceding the “ing”-ending is a word with a particular POS-tag.

Not surprisingly, morphological guessing rules are more accurate than ending-guessing rules but their lexical coverage is more restricted, i.e. they are able to cover less unknown words. Since they are more accurate, in the cascading guesser they were applied before the ending-guessing rules and improved the precision of the guessings by about 5%. This, actually, resulted in about 2% higher accuracy of tagging on unknown words.

Although in general the performance of the cascading guesser was detected to be only 6% worse than a general-language lexicon lookup, one of the over-simplifications assumed at the extraction of the morphological rules was that they obey only simple concatenative regularities:

book →book+ed; take →take+n; play →play+ing.

No attempts were made to model non-concatenative cases which are quite common in English, as for instance:

try →tries; reduce→reducing; advise→advisable.

So we thought that the incorporation of a set of guessing rules which can capture morphological word dependencies with letter alterations should extend the lexical coverage of the morphological rules and hence might contribute to the overall guessing accuracy.

In the rest of the paper first, we will briefly outline the unsupervised statistical learning technique proposed in (Mikheev, 1996), then we propose a modification which will allow for the incorporation of the learning of non-concatenative morphological rules, and finally, we will evaluate and assess the contribution of the non-concatenative suffix morphological rules to the overall tagging accuracy on unknown words using the cascading guesser.

## 2 The Learning Paradigm

The major topic in the development of word-POS guessers is the strategy which is to be used for the acquisition of the guessing rules. Brill (Brill, 1995) outlines a transformation-based learner which learns guessing rules from a pre-tagged training corpus. A statistical-based suffix

learner is presented in (Schmid, 1994). From a pre-tagged training corpus it constructs the suffix tree where every suffix is associated with its information measure.

The learning technique employed in the induction of the rules of the cascading guesser (Mikheev, 1996) does not require specially prepared training data and employs fully unsupervised statistical learning from the lexicon supplied with the tagger and word-frequencies obtained from a raw corpus. The learning is implemented as a two-staged process with feedback. First, setting certain parameters a set of guessing rules is acquired, then it is evaluated and the results of evaluation are used for re-acquisition of a better tuned rule-set. As it has been already said, this learning technique proved to be very successful, but did not attempt at the acquisition of word-guessing rules which do not obey simple concatenations of a main word with some prefix. Here we present an extension to accommodate such cases.

### 2.1 Rule Extraction Phase

In the initial learning technique (Mikheev, 1996) which accounted only for simple concatenative regularities a guessing rule was seen as a triple:  $A = (S, I, R)$  where

$S$  is the affix itself;

$I$  is the POS-class of words which should be looked up in the lexicon as main forms;

$R$  is the POS-class which is assigned to unknown words if the rule is satisfied.

Here we extend this structure to handle cases of the mutation in the last  $n$  letters of the main word (words of  $I$ -class), as, for instance, in the case of  $\text{try} \rightarrow \text{tries}$ , when the letter “y” is changed to “i” before the suffix. To accommodate such alterations we included an additional *mutation* element ( $M$ ) into the rule structure. This element keeps the segment to be added to the main word. So the application of a guessing rule can be described as:

unknown-word -  $S + M : I \rightarrow R$

i.e. from an unknown word we strip the affix  $S$ , add the mutative segment  $M$ , lookup the produced string in the lexicon and if it is of class  $I$  we conclude that the unknown word is of class  $R$ . For example: the suffix rule  $A^c$ :

[ $S = \text{ied}$   $I = (\text{NN}, \text{VB})$   $R = (\text{JJ VBD VBN})$   $M = y$ ]  
or in short [ied (NN VB) (JJ VBD VBN) y]

says that if there is an unknown word which ends with “ied”, we should strip this ending and append to the remaining part the string “y”. If then we find this word in the lexicon as (NN VB) (noun/verb), we conclude that the guessed word is of category (JJ VBD VBN) (adjective, past verb or participle). This rule, for example, will work for word pairs like *specify - specified* or *deny - denied*.

Next, we modified the  $\nabla$  operator which was

used for the extraction of morphological guessing rules. We augmented this operator with the index  $n$  which specifies the length of the mutative ending of the main word. Thus when the index  $n$  is 0 the result of the application of the  $\nabla_0$  operator will be a morphological rule without alterations. The  $\nabla_1$  operator will extract the rules with the alterations in the last letter of the main word, as in the example above. The  $\nabla$  operator is applied to a pair of words from the lexicon. First it segments the last  $n$  characters of the shorter word and stores this in the  $M$  element of the rule. Then it tries to segment an affix by subtracting the shorter word without the mutative ending from the longer word. If the subtraction results in a non-empty string it creates a morphological rule by storing the POS-class of the shorter word as the  $I$ -class, the POS-class of the longer word as the  $R$ -class and the segmented affix itself. For example:

[booked (JJ VBD VBN)]  $\nabla_0$  [book (NN VB)]  $\rightarrow$

$A^s$  : [ed (NN VB) (JJ VBD VBN) ""]

[advisable (JJ VBD VBN)]  $\nabla_1$  [advise (NN VB)]  $\rightarrow$

$A^s$  : [able (NN VB) (JJ VBD VBN) "e"]

The  $\nabla$  operator is applied to all possible lexicon-entry pairs and if a rule produced by such an application has already been extracted from another pair, its frequency count ( $f$ ) is incremented. Thus sets of morphological guessing rules together with their calculated frequencies are produced. Next, from these sets of guessing rules we need to cut out infrequent rules which might bias the further learning process. To do that we eliminate all the rules with the frequency  $f$  less than a certain threshold  $\theta^1$ . Such filtering reduces the rule-sets more than tenfold and does not leave clearly coincidental cases among the rules.

## 2.2 Rule Scoring Phase

Of course, not all acquired rules are equally good as plausible guesses about word-classes. So, for every acquired rule we need to estimate whether it is an effective rule which is worth retaining in the final rule-set. To perform such estimation we take one-by-one each rule from the rule-sets produced at the rule extraction phase, take each word-token from the corpus and guess its POS-set using the rule if the rule is applicable to the word. For example, if a guessing rule strips a particular suffix and a current word from the corpus does not have such suffix we classify these word and rule as incompatible and the rule as not applicable to that word. If the rule is applicable to the word we perform lookup in the lexicon and then compare the result of the guess with the information listed in the lexicon. If the guessed POS-set is the same as the POS-set stated in the lexicon, we count it as success, otherwise it is failure. Then for each rule

<sup>1</sup>usually we set this threshold quite low: 2-4.

we calculate its score as explained in (Mikheev, 1996) using the scoring function as follows:

$$score_i = \hat{p}_i - 1.65 * \sqrt{\frac{\hat{p}_i(1-\hat{p}_i)}{n_i}} / (1 + \log(|S_i|))$$

where  $\hat{p}$  is the proportion of all positive outcomes ( $x$ ) of the rule application to the total number of compatible to the rule words ( $n$ ), and  $|S|$  is the length of the affix. We also smooth  $\hat{p}$  so as not to have zeros in positive or negative outcome probabilities:  $\hat{p} = \frac{x+0.5}{n+1}$ .

Setting the threshold  $\theta_s$  at a certain level lets only the rules whose score is higher than the threshold to be included into the final rule-sets. The method for setting up the threshold is based on empirical evaluations of the rule-sets and is described in Section 2.3.

## 2.3 Setting the Threshold

The task of assigning a set of POS-tags to a particular word is actually quite similar to the task of document categorisation where a document should be assigned with a set of descriptors which represent its contents. The performance of such assignment can be measured in:

*recall* - the percentage of POS-tags which the guesser assigned correctly to a word;

*precision* - the percentage of POS-tags the guesser assigned correctly over the total number of POS-tags it assigned to the word;

*coverage* - the proportion of words which the guesser was able to classify, but not necessarily correctly.

There are two types of test-data in use at this stage. First, we measure the performance of a guessing rule-set against the actual lexicon: every word from the lexicon, except for closed-class words and words shorter than five characters, is guessed by the rule-sets and the results are compared with the information the word has in the lexicon. In the second experiment we measure the performance of the guessing rule-sets against the training corpus. For every word we measure its metrics exactly as in the previous experiment. Then we multiply these measures by the corpus frequency of this particular word and average them. Thus the most frequent words have the greatest influence on the final measures.

To extract the best-scoring rule-sets for each acquired set of rules we produce several final rule-sets setting the threshold  $\theta_s$  at different values. For each produced rule-set we record the three metrics (precision, recall and coverage) and choose the sets with the best aggregate measures.

## 3 Learning Experiment

One of the most important issues in the induction of guessing rule-sets is the choice of right data for training. In our approach, guessing rules are ex-

Guessing Strategy	Lexicon			Corpus		
	Precision	Recall	Coverage	Precision	Recall	Coverage
Suffix ( $S_{60}$ )	0.920476	0.959087	0.373851	0.978246	0.973537	0.29785
Suffix with alt. ( $A_{80}$ )	0.964433	0.97194	0.193404	0.996292	0.991106	0.187478
$S_{60}+A_{80}$	0.925782	0.959568	0.4495	0.981375	0.977098	0.370538
$A_{80}+S_{60}$	0.928376	0.959457	0.4495	0.981844	0.977165	0.370538
Ending ( $E_{75}$ )	0.666328	0.94023	0.97741	0.755653	0.951342	0.958852
$S_{60}+E_{75}$	<b>0.728449</b>	0.941157	0.9789471	<b>0.798186</b>	0.947714	0.961047
$S_{60}+A_{80}+E_{75}$	0.739347	0.941548	0.979181	0.805789	0.948022	0.961047
$A_{80}+S_{60}+E_{75}$	<b>0.740538</b>	0.941497	0.979181	<b>0.805965</b>	0.948051	0.961047

Table 1: Results of the cascading application of the rule-sets over the training lexicon and training corpus.  $A_{80}$  - suffixes with alterations scored over 80 points,  $S_{60}$  - suffixes without alterations scored over 60 points,  $E_{75}$  - ending-guessing rule-set scored over 75 points.

tracted from the lexicon and the actual corpus frequencies of word-usage then allow for discrimination between rules which are no longer productive (but have left their imprint on the basic lexicon) and rules that are productive in real-life texts. Thus the major factor in the learning process is the lexicon - it should be as general as possible (list *all* possible POSS for a word) and as large as possible, since guessing rules are meant to capture general language regularities. The corresponding corpus should include most of the words from the lexicon and be large enough to obtain reliable estimates of word-frequency distribution.

We performed a rule-induction experiment using the lexicon and word-frequencies derived from the Brown Corpus (Francis&Kucera, 1982). There are a number of reasons for choosing the Brown Corpus data for training. The most important ones are that the Brown Corpus provides a model of general multi-domain language use, so general language regularities can be induced from it, and second, many taggers come with data trained on the Brown Corpus which is useful for comparison and evaluation. This, however, by no means restricts the described technique to that or any other tag-set, lexicon or corpus. Moreover, despite the fact that the training is performed on a particular lexicon and a particular corpus, the obtained guessing rules suppose to be domain and corpus independent and the only training-dependent feature is the tag-set in use.

Using the technique described above and the lexicon derived from the Brown Corpus we extracted prefix morphological rules (no alterations), suffix morphological rules without alterations and ending guessing rules, exactly as it was done in (Mikheev, 1996). Then we extracted suffix morphological rules with alterations in the last letter ( $\nabla_1$ ), which was a new rule-set for the cascading guesser. Quite interestingly apart from the expected suffix rules with alterations as:

$$[S = \text{ied } I = (\text{NN}, \text{VB}) R = (\text{JJ VBD VBN}) M = y]$$

which can handle pairs like *deny*  $\rightarrow$  *denied*, this rule-set was populated with "second-order" rules which describe dependencies between secondary forms of words. For instance, the rule

$$[S = \text{ion } I = (\text{NNS VBZ}) R = (\text{NN}) M = s]$$

says if by deleting the suffix "ion" from a word and adding "s" to the end of the result of this deletion we produce a word which is listed in the lexicon as a plural noun and 3-rd form of a verb (NNS VBZ) the unknown word is a noun (NN). This rule, for instance, is applicable to word pairs: *affects*  $\rightarrow$  *affection*, *asserts*  $\rightarrow$  *assertion*, etc.

Table 1 presents some results of a comparative study of the cascading application of the new rule-set against the standard rule-sets of the cascading guesser. The first part of Table 1 shows the best obtained scores for the standard suffix rules (S) and suffix rules with alterations in the last letter (A). When we applied the two suffix rule-sets cascadingly their joint lexical coverage increased by about 7-8% (from 37% to 45% on the lexicon and from 30% to 37% on the corpus) while precision and recall remained at the same high level. This was quite an encouraging result which, actually, agreed with our prediction. Then we measured whether suffix rules with alterations (A) add any improvement if they are used in conjunction with the ending-guessing rules. Like in the previous experiment we measured the precision, recall and coverage both on the lexicon and on the corpus. The second part of Table 1 shows that simple concatenative suffix rules ( $S_{60}$ ) improved the precision of the guessing when they were applied before the ending-guessing rules ( $E_{75}$ ) by about 5%. Then we cascadingly applied the suffix rules with alterations ( $A_{80}$ ) which caused further improvement in precision by about 1%.

After obtaining the optimal rule-sets we performed the same experiments on a word-sample which was not included into the training lexicon and corpus. We gathered about three thousand words from the lexicon developed for the Wall

Lexicon	Guessing strategy	Total words	Unkn. words	Total mistag.	Unkn. mistag.	Total Score	Unkn. Score
Full	standard: P+S+E	5,970	347	292	33	95.1%	90.5%
Full	with new: P+A+S+E	5,970	347	292	33	95.1%	90.5%
Small	standard: P+S+E	5,970	2,215	332	309	94.44%	86.05%
Small	with new: P+A+S+E	5,970	2,215	311	288	94.79%	87.00%

Table 2: Results of tagging a text using the standard Prefix+Suffix+Ending cascading guesser and the guesser with the additional rule-set of suffixes-with-Alterations. For each of these cascading guessers two tagging experiments were performed: the tagger was equipped with the full Brown Corpus lexicon and with the small lexicon of closed-class and short words (5,465 entries).

Street Journal corpus<sup>2</sup> and collected frequencies of these words in this corpus. At this test-sample evaluation we obtained similar metrics apart from the coverage which dropped by about 7% for both kinds of suffix rules. This, actually, did not come as a surprise, since many main forms required by the suffix rules were missing in the lexicon.

## 4 Evaluation

The direct performance measures of the rule-sets gave us the grounds for the comparison and selection of the best performing guessing rule-sets. The task of unknown word guessing is, however, a subtask of the overall part-of-speech tagging process. Thus we are mostly interested in how the advantage of one rule-set over another will affect the tagging performance. So, we performed an independent evaluation of the impact of the word guessing sets on tagging accuracy. In this evaluation we used the cascading application of prefix rules, suffix rules and ending-guessing rules as described in (Mikheev, 1996). We measured whether the addition of the suffix rules with alterations increases the accuracy of tagging in comparison with the standard rule-sets. In this experiment we used a tagger which was a C++ re-implementation of the LISP implemented HMM Xerox tagger described in (Kupiec, 1992) trained on the Brown Corpus. For words which failed to be guessed by the guessing rules we applied the standard method of classifying them as common nouns (NN) if they are not capitalised inside a sentence and proper nouns (NP) otherwise.

In the evaluation of tagging accuracy on unknown words we payed attention to two metrics. First we measure the accuracy of tagging solely on unknown words:

$$UnknScore = \frac{CorrectlyTaggedUnknWords}{TotalUnknWords}$$

This metric gives us the exact measure of how the tagger has done when equipped with different guessing rule-sets. In this case, however, we do not account for the known words which were mistagged because of the unknown ones. To put a

perspective on that aspect we measure the overall tagging performance:

$$TotalScore = \frac{CorrectlyTaggedWords}{TotalWords}$$

To perform such evaluation we tagged several texts of different origins, except ones from the Brown Corpus. These texts were not seen at the training phase which means that neither the tagger nor the guesser had been trained on these texts and they naturally had words unknown to the lexicon. For each text we performed two tagging experiments. In the first experiment we tagged the text with the full-fledged Brown Corpus lexicon and hence had only those unknown words which naturally occur in this text. In the second experiment we tagged the same text with the lexicon which contained only closed-class<sup>3</sup> and short<sup>4</sup> words. This small lexicon contained only 5,465 entries out of 53,015 entries of the original Brown Corpus lexicon. All other words were considered as unknown and had to be guessed by the guesser. In both experiments we measured tagging accuracy when tagging with the guesser equipped with the standard Prefix+Suffix+Ending rule-sets and with the additional rule-set of suffixes with alterations in the last letter.

Table 2 presents some results of a typical example of such experiments. There we tagged a text of 5,970 words. This text was detected to have 347 unknown to the Brown Corpus lexicon words and as it can be seen the additional rule-set did not cause any improvement to the tagging accuracy. Then we tagged the same text using the small lexicon. Out of 5,970 words of the text, 2,215 were unknown to the small lexicon. Here we noticed that the additional rule-set improved the tagging accuracy on unknown words for about 1%: there were 21 more word-tokens tagged correctly because of the additional rule-set. Among these words were: “classified”, “applied”, “tries”, “tried”, “merging”, “subjective”, etc.

<sup>3</sup>articles, prepositions, conjunctions, etc.

<sup>4</sup>shorter than 5 characters

<sup>2</sup>these words were not listed in the training lexicon

## 5 Discussion and Conclusion

The target of the research reported in this paper was to incorporate the learning of morphological word-POS guessing rules which do not obey simple concatenations of main words with affixes into the learning paradigm proposed in (Mikheev, 1996). To do that we extended the data structures and the algorithms for the guessing-rule application to handle the mutations in the last  $n$  letters of the main words. Thus simple concatenative rules naturally became a subset of the mutative rules – they can be seen as mutative rules with the zero mutation, i.e. when the  $M$  element of the rule is empty. Simple concatenative rules, however, are not necessarily regular morphological rules and quite often they capture other non-linear morphological dependencies. For instance, consonant doubling is naturally captured by the affixes themselves and obey simple concatenations, as, for example, describes the suffix rule  $A^s$ :

[  $S = \text{ging}$   $I = (\text{NN VB})$   $R = (\text{JJ NN VBG})$   $M = \text{“”}$  ]

This rule, for example, will work for word pairs like **tag - tagging** or **dig - digging**. Note that here we don't specify the prerequisites for the stemword to have one syllable and end with the same consonant as in the beginning of the affix. Our task here is not to provide a precise morphological description of English but rather to support computationally effective POS-guessings, by employing some morphological information. So, instead of using a proper morphological processor, we adopted an engineering approach which is argued for in (Mikheev&Liubushkina, 1995). There is, of course, nothing wrong with morphological processors *per se*, but it is hardly feasible to retrain them fully automatically for new tag-sets or to induce new rules. Our shallow technique on the contrary allows to induce such rules completely automatically and ensure that these rules will have enough discriminative features for robust guessings. In fact, we abandoned the notion of morpheme and are dealing with *word segments* regardless of whether they are “proper” morphemes or not. So, for example, in the rule above “ging” is considered as a suffix which in principle is not right: the suffix is “ing” and “g” is the dubbed consonant. Clearly, such nuances are impossible to learn automatically without specially prepared training data, which is denied by the technique in use. On the other hand it is not clear that this fine-grained information will contribute to the task of morphological guessing. The simplicity of the proposed shallow morphology, however, ensures fully automatic acquisition of such rules and the empirical evaluation presented in section 2.3 confirmed that they are just right for the task: precision and recall of such rules were measured in the range of 96-99%.

The other aim of the research reported here was to assess whether non-concatenative morphological rules will improve the overall performance of the cascading guesser. As it was measured in (Mikheev, 1996) simple concatenative prefix and suffix morphological rules improved the overall precision of the cascading guesser by about 5%, which resulted in 2% higher accuracy of tagging on unknown words. The additional rule-set of suffix rules with one letter mutation caused some further improvement. The precision of the guessing increased by about 1% and the tagging accuracy on a very large set of unknown words increased by about 1%. In conclusion we can say that although the ending-guessing rules, which are much simpler than morphological rules, can handle words with affixes longer than two characters almost equally well, in the framework of POS-tagging even a fraction of percent is an important improvement. Therefore the contribution of the morphological rules is valuable and necessary for the robust POS-tagging of real-world texts.

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