# Pre- and In-Parsing Models for Neural Empty **Category Detection**

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#### **Deep Linguistic Processing**

- Combinatory Categorial Grammar, Lexical-Functional Grammar, Head-Driven Phrase-Structure Grammar, etc.
- Government and Binding: D-structure VS S-structure

#### **Question:** Can we benefit from moding deep elements?

- Perhaps. Deep grammar formalisms provide more transparent interface to semantics
- Hard to prove. Grammar Formalism are heterogeneous and hard to be compared.

#### The score functions





- Modeling empty category help dependency parsing.
  - ▷ Our CoNLL paper: Zhang, Sun and Wan (2017)
- ▷ The dependency tree representation is augmented with *empty nodes*, which corresponds to unpronounced nominal words
- Data-driven parsing based on global linear models

#### **Question:** How about neural models?

- Is is plausible to detect empty categories using RNNs rather than syntactic information?
- Can neural parsing benefit from modeling empty categories?

# Pre-parsing neural empty category detection

Context of empty categories: sequential context and hierarchical context A sequence-oriented model: we explore four sets of annotation specifications ► Tagging based on a BiLSTM-CRF model.

Interspace:	@@ 颁布(issue)	@@ 了(AS)	@@  涉及(involve)	@@ 经济(economic)
	O VV	O AS	*OP**T* VV	O NN
<i>Pre2</i> and <i>Pre3</i> :	颁布(issue)	了(AS)	涉及(involve)	经济(economic)
	VV	AS	VV#pre1=*T*#pre2=*OP*	NN
Prepost:	颁布(issue)	了(AS)	涉及(involve)	经济(economic)
	VV	AS#post=*OP*	VV#pre1=*T*	NN

Figure 2: The neural network structure when parsing sentence "It wasn't Black Monday." 5 MLPs is used for overt edges (i, j), covert edges  $(i, \phi_i)$ , overt-both siblings (i, j, k), covertinside siblings  $(i, \phi_i, k)$  and covert-outside siblings  $(i, j, \phi_k)$  respectively, and 3 of them are shown in the graph.

## **Overall results**

	Р	R	$F_1$
Pre-parsing	67.3	54.7	60.4
In-parsing	72.6	55.5	62.9
In-parsing*	70.9	54.1	61.4
Xue and Yang (2013)*	65.3	51.2	57.4
Cai et al. (2011)	66.0	54.5	58.6

Figure 1: An example of four kinds of annotations. "@@" means interspaces between words.

## Joint ECD and dependency parsing

► Notation

- ▷ a sentence *s* with *n* normal words
- $\triangleright \mathcal{I}_o = \{(i,j) | i,j \in \{1,\cdots,n\}\}$ : all possible overt dependency edges  $\triangleright \mathcal{I}_c = \{(i, \phi_i) | i, j \in \{1, \dots, n\}\}$ : all possible covert dependency
- edges.  $\phi_i$  denotes an empty node that precede the *j*th word.
- $\triangleright z = \{z(i,j) : (i,j) \in \mathcal{I}_o \cup \mathcal{I}_c\}$ : a dependency parse with empty nodes
- $\triangleright$  Parsing with ECD can be defined as a search for the highest-scored  $z^*(s)$ in all compatible analyses, just like parsing without empty elements:

$$(s) = \arg \max_{z \in \mathcal{Z}(s)} \operatorname{SCORE}(s, z)$$
$$= \arg \max_{z \in \mathcal{Z}(s)} \sum_{p \in \operatorname{PART}(z)} \operatorname{SCOREPART}(s, p)$$

Table 1: The overall performance on test data. "\*" indicates more stringent evaluation metrics.

## Empty category helps neural parsing

	-EC	+EC	-+EC
Unlabeled	87.6	88.9	89.6
Labeled	84.6	85.9	86.6

Table 2: Accuracies of both unlabeled and labeled parsing on development data. "-EC" indicates parsing without empty categories. "+EC" indicates the second-order in-parsing models. "-+EC" indicates jointing parsing models both without and with ECs together.

# **LSTM** is able to find some non-local dependencies

	Linear CRF					LSTM-CRF						
	Without POS			With POS		Without POS			With POS			
	Р	R	$F_1$	Р	R	$F_1$	Р	R	$F_1$	Р	R	$F_1$
Interspace	74.6	20.6	32.2	71.2	30.3	42.5	67.9	59.8	63.6	73.0	61.6	66.8
Pre2	72.4	30.1	42.5	72.8	32.4	44.8	71.1	58.3	64.1	74.8	57.4	65.0
Pre3	73.1	30.2	42.8	73.0	32.5	44.9	71.1	58.5	64.2	73.8	57.0	64.3
Prepost	70.9	32.9	45.0	74.4	30.3	43.1	71.0	57.6	63.6	72.9	58.6	65.0
Table 3: The overall performance of the two sequential models on development data.								data.				

#### A second-order model

 $Z^*$ 

the score function over the whole syntactic analysis is defined as:  $SCORE(s, z) = \sum SCOREDEP(s, i, j)$  $(i,j) \in \text{Dep}(\boldsymbol{z})$ +  $\sum$  ScoreEmpty $(s, i, \phi_j)$  $(i,\phi_j) \in \text{Depempty}(\boldsymbol{z})$ +  $\sum$  ScoreOvertBoth(s, i, j, k) $(i,j,k) \in OVERTBOTH(\boldsymbol{z})$ +  $\sum$  ScoreCovertIn $(s, i, \phi_j, k)$  $(i,\phi_j,k) \in \text{COVERTIN}(\boldsymbol{z})$ +  $\sum$  ScoreCovertOut $(s, i, j, \phi_k)$  $(i,j,\phi_k) \in \text{COVERTOUT}(\boldsymbol{z})$ 

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