

# **GNEG: Graph-Based Negative Sampling for word2vec**



## Zheng Zhang<sup>1,2</sup> and Pierre Zweigenbaum<sup>1</sup>

<sup>1</sup>LIMSI, CNRS, Université Paris-Saclay <sup>2</sup>LRI, Université Paris-Sud, CNRS, Université Paris-Saclay

#### **1. Motivation**

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- Negative Sampling (NEG) is an important component in word2vec:
  As an approximation to Noise Contrastive Estimation (NCE), NEG brings a significant speed-up and achieves very good performance on distributed word representation learning.
- But NEG is not targeted for training words, noise distribution is only based on the unigram distribution (word count):

$$P_n(w) = \frac{U(w)^{\frac{3}{4}}}{\sum_{i=1}^{|vocab|} U(w_i)^{\frac{3}{4}}}$$

• We hypothesize that taking into account global, corpus-level information and generating a

#### Corpora

• We use the skip-gram negative sampling model with window size 5, vocabulary size 10000, vector dimension size 200, number of iterations 5 and negative examples 5 to compute baseline word embeddings.

**3. Experiments** 

- Our graph-based negative sampling models share the parameters of the baseline.
- All four models are trained on an English Wikipedia dump from April 2017 of three sizes: about 19M tokens, about 94M tokens (both are for detailed analyses and non-common parameters grid search in each of the three graph-based models) and around 2.19 billion tokens.

different noise distribution for each target word better satisfies the requirements of negative examples for each training word than the original frequency-based distribution.



#### **2. Graph-Based Negative Sampling**

Build the graph-based negative sampling noise distribution in 3 steps!

*Step 1: "Making the dough" -* Generate an undirected weighted word co-occurrence network from the corpus and get the adjacency matrix *A* from it for the future use.

The history of natural language processing generally started in the 1950s. The histori of natur languag process gener start in the 0000s.

#### **Evaluation Datasets**

We evaluate the resulting word embeddings:

- on word similarity tasks using WordSim-353 (Finkelstein et al., 2001) and SimLex-999 (Hill et al., 2014) (correlation with humans).
- on the word analogy task (Mikolov et al., 2013a) (% correct).

#### **Statistical Significance**

- Steiger's Z tests (Steiger, 1980) for WordSim-353 and SimLex-999
- Approximate randomization (Yeh, 2000) for the word analogy task



#### 4. Results



weight =  $1 \times number \ of \uparrow + 1 \times number \ of \uparrow$ undirected

distance=1

Distance=2

(d<sub>max</sub>,

**Efficient Generation and Processing of Word Co-occurrence Networks Using corpus2graph** Zheng ZHANG, Ruiqing YIN, Pierre ZWEIGENBAUM, In Proceedings of NAACL 2018 Workshop on Graph-Based Algorithms for Natural Language Processing, New Orleans, US

*Step 2: "Creating the toppings"* - Three methods to generate basic noise distribution matrices on the word co-occurrence network.

*Option 1* Directly using the training word context distribution *A* extracted from the word cooccurrence network.

- Zero co-occurrence case: Some vocabulary words may never co-occur with a given training word, which makes them impossible to be selected for this training word.
- Solution: Replacing all zeros in matrix with the minimum non-zero value of their corresponding rows.

*Option 2* Calculating the difference between the original unigram distribution and the training word context distribution.

• For zeros and negative values in the matrix, we reset them to the minimum nonzero value of the corresponding rows.

distribution	<b>d</b> <sub>max</sub>	p	others
bigram	3	0.25	$replace\_zeros = T$
difference	3	0.01	
Random walk	5	0.25	$t = 2, no\_self\_loops = T$

Training time

### $8 + 2.5 \text{ hours}^*$

word2vec corpus2graph

\*Trained on the entire Wikipedia corpus using 50 logical cores on a server with 4 Intel Xeon E5-4620 processors.

*Option 3* Performing t-step random walks on the word co-occurrence network.

- Using the t-step random walk transition matrix as the final noise distribution matrix
- Two versions: with/without self-loops

*Step 3: "Baking"* - Based on the previous results, use the power function to adjust the distribution and then normalize all rows of the adjusted matrix to get the final noise distribution.

### $P_n(w_u, w_v) = \frac{(B_{uv})^p}{\sum_{i=1}^{|B_u|} (B_{ui})^p}$

#### 5. Future work

- Graph-based context words selection
- Graph-based training words reordering for word2vec
- Word co-occurrence matrix factorization for distributed word representation learning



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