## On the Limitations of Unsupervised Bilingual Dictionary Induction

AYLIE







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 Key component: Initialization via unsupervised cross-lingual alignment of word embedding spaces



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$$\sum_{i=1}^{n} \|\mathbf{W}\mathbf{x}_{i} - \mathbf{y}_{i}\|^{2} \quad (\text{Mikolov et al., 2013})$$

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- $\sum_{i=1}^{n} \|\mathbf{W}\mathbf{x}_{i} \mathbf{y}_{i}\|^{2}$  (Mikolov et al., 2013) • More recently: Use an adversarial setup to learn an
  - unsupervised mapping
- Assumption: Word embedding spaces are *approximately isomorphic*, i.e. same number of vertices, connected the same way.

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Not isomorphic

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$$\Delta = \sum_{i=1}^{k} (\lambda_{1_i} - \lambda_{2_i})^2$$
 where  $k = \min_j \{ \frac{\sum_{i=1}^{k} \lambda_{j_i}}{\sum_{i=1}^{n} \lambda_{j_i}} > 0.9 \}$ 

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Algorithms/ hyperparameters	Same	Different

#### 1. Monolingual word embeddings:

Learn monolingual vector spaces *X* and *Y*.



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#### 2. Adversarial mapping:

Learn a translation matrix *W*. Train discriminator to discriminate samples from *WX* and *Y*.



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Build bilingual dictionary of frequent words using *W*. Learn a new *W* based on frequent word pairs.



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#### 4. Cross-domain similarity local scaling (CSLS):

Use similarity measure that increases similarity of isolated word vectors, decreases similarity of vectors in dense areas.



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Languages (English to)	French, German, Chinese, Russian, Spanish	Estonian (ET), Finnish (FI), Greek (EL), Hungarian (HU), Polish (PL), Turkish







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- Unsupervised approaches are challenged by languages that are not isolating and not dependent marking
- Naive supervision leads to competitive performance on similar language pairs and better results for dissimilar pairs







• Eigenvector similarity strongly correlates with BDI performance ( $\rho \sim 0.89$ )

 Source and target embeddings induced on 3 corpora: EuroParl (EP), Wikipedia (Wiki), Medical (EMEA)

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 Domain differences may exacerbate difficulties of generalising across dissimilar languages








### Impact of domain differences



 Weak supervision helps to bridge domain differences, but performance still deteriorates

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 Different algorithms introduce embedding spaces with wildly different structures.







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- Monolingual word embeddings may overfit to rare peculiarities of languages.

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### Homographs:

Lower precision due to loan words/proper names. High precision for free with weak supervision.

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  - Morphologically rich languages.
  - Corpora from **different domains**.
  - Different word embedding algorithms.