Confidence Modeling for Neural Semantic Parsing July 16, 2018

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Neural Semantic Parsing (NSP)

Model used in this work (Dong and Lapata, 2016; Jia and Liang, 2016)



Confidence Modeling is Important

Most models always tend to guess some outputs We also want to know how confident they are



Motivation

- From the perspective of applications
 - More reliable decisions
 - Generate clarification questions to verify the results
- Nonlinearity of neural networks
 - For linear models, $p(y|x) \propto \sum score_{evidence}$
 - Unclear for neural models (Johansen and Socher, 2017)
- Lack of explicit lexicons or templates
 Difficult to trace errors and inconsistencies

- Estimate confidence scores for NSP
 Higher score -> the prediction is more likely correct
- Provide uncertainty interpretations
 Which parts of input contribute to uncertain predictions

Confidence Estimation - Overview



Confidence Metrics

- Model is unconfident about p(y|x)
 - Model uncertainty

Unsure about model parameters or structure

Data uncertainty

Out-of-distribution/-domain examples

- Estimate p(y|x) reliably, but the entropy is large
 - Input uncertainty

Input itself is unspecific/ambiguous, which would lead to several different correct outputs

Model Uncertainty

- Posterior probability
 - Sequence-level: $\log p(y|x)$
 - Token-level: $avg\{\log p(y_t|x, y_{< t})\}, \min\{p(y_t|x, y_{< t})\}$
- Dropout as a Bayesian approximation (Yarin Gal, Zoubin Ghahramani, 2016)



Data Uncertainty

Out-of-distribution/-domain examples

- $p(x|\mathcal{D})$: probability of input
 - KenLM (Heafield et al., 2013) estimated on the training set
- Number of unknown words of input

Input Uncertainty

 $y_{\leq 1}^1$





 $y_{\leq 2}^1$

 $y_{\leq n}^1$

• Entropy of decoding $H[y|x] = -\sum_{y'} p(y'|x) \log p(y'|x)$

Approximated by Monte Carlo sampling



Predictive

Confidence Scoring

Use logistic regression to fit F1 scores of outputs Logistic loss: $\mathcal{L} = \sum_{i} [y_i \ln(1 + e^{-\hat{y}_i}) + (1 - y_i) \ln(1 + e^{\hat{y}_i})]$

Confidence Score ∈ (0,1) ↑ Tree Boosting Model

Confidence Metrics

	Model Uncertainty	Data Uncertainty	Input Uncertainty
Token-level	 Dropout	 Probability of input Number of	 Variance of top
Sequence-level	perturbation Gaussian noise Posterior probability	unknown tokens	candidates Entropy of decoding

Uncertainty Interpretation

Trace prediction uncertainty back to input words

Users can verify or refine the input quickly



- 1) Initialize decoder's output neuron with uncertainty scores
- 2) Backpropagate scores layer-wisely
- 3) Obtain scores u_{χ_i} for input words



(Bach et al., 2015; Zhang et al., 2016)







$$\sum_{p \in \text{Parent}(m)} v_p^m = 1$$

Contribution ratios from m to its parent neurons are normalized to 1

Backpropagation Rules

Fully-connected layers

If p_1 contributes more to m's value, ratio $v_{p_1}^m$ should be larger (i.e., backprop more from m to p_1)



Experiments

• IFTTT-style semantic parsing (Quirk et al., 2015)

"Archive your missed calls from Android to Google Drive"



for every key in sorted list of user_settings
for key in sorted(user_settings):

Confidence Estimation

Spearman ρ correlation ($\in [-1,1]$) between confidence score and F1 score



Confidence Estimation

Confidence scores are used as threshold to filter out uncertain examples



Importance of Confidence Metrics



Uncertainty Interpretation

Agreement of top-4 uncertain input words Between model prediction and gold standard



Examples - IFTTT

ATT: attention; BP: uncertainty backpropagation

feed-new_feed_item-(feed_url(

_url_sports.espn.go.com)) THEN ...

ATT espn mlb headline to readability

BP espn mlb headline to readability

weather-tomorrow's_low_drops_below-((
 temperature(0)) (degrees_in(c))) THEN ...
ATT warn me when it's going to be freezing tomorrow
BP warn me when it's going to be freezing tomorrow



Code Available: http://homepages.inf.ed.ac.uk/s1478528