Domain-specific or Uncertainty-aware models: Does it *really* make a difference for biomedical text classification?

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Abstract

The success of pretrained language models (PLMs) across a spate of use-cases has led to significant investment from the NLP community towards building domain-specific foundational models. On the other hand, in mission critical settings such as biomedical applications, other aspects also factor in—chief of which is a model's ability to produce reasonable estimates of its own uncertainty. In the present study, we discuss these two desiderata through the lens of how they shape the entropy of a model's output probability distribution. We find that domain specificity and uncertainty awareness can often be successfully combined, but the exact task at hand weighs in much more strongly.

1 Introduction

Deep-learning models are trained with datadriven approaches to maximize prediction accuracy (Goodfellow et al., 2016). This entails several welldocumented pitfalls, ranging from closed-domain limitations (Daume III and Marcu, 2006) to social systemic biases (McCoy et al., 2019; Schnabel et al., 2016). These limitations compound to a severe deterioration of model performances in out-ofdomain (OOD) scenarios (Hurd et al., 2013; Shah et al., 2020). This has led to engineering efforts towards developing models tailored to specific domains, ranging from the legal (Paul et al., 2023) to the biomedical (Lee et al., 2020; Singhal et al., 2023) ones.

Domain-specific models, while useful, are rarely considered as a definitive answer. Crucially, in the biomedical domain, experts require more reliability from these models—in particular, insofar as accounting for uncertainty in prediction is concerned. For example, in the case of a risk scoring model used to rank patients for live transplant, uncertainty-awareness becomes critical. The lack of uncertainty-aware models may lead to improper allocation of medical resources (Steyerberg et al.,



Figure 1: Illustration of this study's setup. We perform a systematic comparison of domain-specificity and uncertainty-awareness in the medical domain.

2010). Such concerns exemplify the importance of uncertainty aware models and its critical role in model selection.

The compatibility of domain-specific pretraining and uncertainty modeling appears under-assessed. To illustrate this, one can consider the entropy of output distributions: Domain-specific pretraining will lead to more probability mass assigned to a single (hopefully correct) estimate, leading to a lower entropy; whereas uncertainty-aware designs intend to not neglect valid alternatives—meaning that the probability mass should be spread out, which entails a higher entropy when uncertainty is due.

In this work, we reflect on how model-specificity and uncertainty-awareness articulate with one another. Figure 1 illustrates the experimental setup we use for our study. In practice, we study the performances of frequentist and Bayesian general and domain-specific models on biomedical text classification tasks across a wide array of metrics,

Dataset	Task Description		Splits		Statistics			
Dataset	lask Description	train	val	test	#Class	CIR	avglen	maxlen
MedABS	Predict the patient condition described, given a medical abstract	8662	2888	2888	5	3.1445	180.59	597
💻 MedNLI	Predict the inference type, given a hypothesis and a premise	11232	1395	1422	3	1	23.83	151
SMOKING 🖿	Predict the patient smoking status, given a medical discharge record	398	100	104	5	23.75	654.30	2788
PxSLU	Predict the drug prescription intent, given a user speech transcription	1386	198	397	4	98.1538	11.40	48
MedMCQA	Predict the number of answers, given a medical multi-choice question	2171	312	622	5	21.1176	12.90	92
MORFITT	Predict the speciality, given a scientific article abstract	1514	1022	1088	12	15.3529	226.33	1425

Table 1: Datasets description. CIR denotes class imbalance ratio.

ranging from macro F1 to SCE, with a specific focus on entropy (Ruder and Plank, 2017; Kuhn et al., 2023). More narrowly, we study the following research questions: **RQ1**: Are the benefits of uncertainty-awareness and domain-specificity orthogonal? **RQ2**: Given our benchmarking results, should medical practitioners prioritize domain-specificity or uncertainty-awareness?

2 Related Work

Recently, uncertainty quantification has gained attention from the NLP community (Xiao and Wang, 2019; Xiao et al., 2022; Hu et al., 2023)particularly in mission critical settings, such as in the medical domain (Hwang et al., 2023; Barandas et al., 2024). In parallel, compared to domain adaptation approaches (Wiese et al., 2017) for the medical domain, there is a growing interest in domainspecific language models starting from BioBERT (Lee et al., 2020) to the recent MedPalM (Singhal et al., 2023). Xiao et al. (2022) presented an elaborate study of uncertainty paradigm for generaldomain PLMs. While uncertainty modeling has been applied to biomedical data previously (e.g., Begoli et al., 2019; Abdar et al., 2021), surprisingly little has been done for biomedical textual data. Therefore, our study precisely focuses on the interaction between the two paradigms for medical domain NLP tasks. We address this gap by focusing specifically on predictive entropy (Ruder and Plank, 2017; Kuhn et al., 2023).

3 Methodology

Datasets. We conduct experiments on six standard biomedical datasets: three English datasets, viz. MedABS (Schopf et al., 2023), MedNLI (Romanov and Shivade) and SMOKING (Uzuner et al., 2008); as well as three French datasets, viz. MORFITT (Labrak et al., 2023b), PxSLU (Kocabiyikoglu et al., 2022) and MedMCQA (Labrak et al., 2023a).

For MEDABS, SMOKING, PxSLU, and MEDMCQA, we do not perform any special pre-

processing. For MEDMCQA, we perform Task 2, i.e., predicting the number of possible responses (ranging from 1-5) for the input multi choice question. For MEDNLI, we concatenate the statement and hypothesis using the [SEP] token and use it as an input converting it to a multi-class task. For MORFITT, which is originally a multi-label classification task, we use the first label for each sample to convert it to a multi-class problem. The descriptive statistics of these datasets are listed in Table 1, along with class imbalance ratio (CIR; Yu et al., 2022). See Appendix A.4 for more information.

Models. We derive classifiers from languagespecific PLMs: for English datasets, we use BERT (Devlin et al., 2018) and BioBERT (Lee et al., 2020); for French, we use CamemBERT (Martin et al., 2019) and CamemBERT-bio (Touchent et al., 2023). We compare two types of models, frequentist deep learning models (DNN) and Bayesian deep learning models (BNNs). The DNN model comprises of a PLM-based encoder, a Dropout unit along with 1-layer classifier. The BNN models are likewise based on a PLM encoder, along with a Bayesian module applied over the classification layer. We also experimented with MC-dropout models (Gal and Ghahramani, 2016), DropConnect (Mobiny et al., 2021), and variational inference (Blundell et al., 2015) models. We focus¹ on the DropConnect architecture which comprises a PLM encoder along a DropConnect dense classification layer. This approach infuses stochasticity into a deterministic model by randomly zeroing out classifier weights with probability 1 - p. This allows us to sample multiple outputs for a given input, thus enabling to aggregate the predictions and to produce estimates of uncertainty.

For simplicity, we note domain-specific models as $+\mathcal{D}$ (and general models $-\mathcal{D}$); uncertainty aware models are referred to as $+\mathcal{U}$ (with frequen-

¹We justify our focus on DropConnect empirically, as it yielded the highest validation F1 scores on average in our case. See Appendices A.1 and B for details. All main text results for uncertainty-aware classifiers pertain to DropConnect.

tist models noted -U). We replicate training across 10 seeds per model and dataset; further implementation details can be found in Appendix A.2.

Evaluation Setup. We evaluate classifiers on two aspects: task performance and uncertainty awareness. For *text classification*, we report Macro-F1 and accuracy. For *uncertainty quantification* we report Brier score (BS; Brier, 1950), Expected Calibration Error (ECE; Naeini et al., 2015), Static Calibration Error (SCE; Nixon et al., 2019), Negative log likelihood (NLL), coverage (Cov%) and entropy (H). See Appendix A.3 for definitions.



Figure 2: Performances for empirically best models (selected metrics), *z*-normalized per dataset. See Table 5 in Appendix B for full non-normalized results.

4 Results

Performance. All results are listed in Table 5 in Appendix B, we highlight some key metrics in Figure 2. Insofar as classification metrics go, $+\mathcal{D}$ configurations outperform $-\mathcal{D}$ ones. More generally, as all scores are highly dependent on the exact dataset considered, we first de-trend them by *z*-normalizing results on a per-dataset basis to simplify analysis. We find $+\mathcal{D} + \mathcal{U}$ classifiers to be strong contenders, although they are often

outperformed—especially by $+\mathcal{D} - \mathcal{U}$ models on classification metrics (Figure 2b) and by $-\mathcal{D} + \mathcal{U}$ models on calibration metrics (Figure 2c). As for entropy, we find both $+\mathcal{D} - \mathcal{U}$ and $+\mathcal{D} + \mathcal{U}$ to lead to lower scores. Trends are consistent across languages.

Relative importance. To interpret results in Figure 2 more rigorously, we rely on SHAP (Lundberg and Lee, 2017). SHAP is an algorithm to compute heuristics for Shapley values (Shapley, 1953), viz. a game theoretical additive and fair distribution of a given variable to be explained across predetermined factors of interest. Here, we analyze the scores obtained by individual classifiers on all 8 metrics, and try to attribute their values (*z*-normalized per dataset) to domain specificity $(\pm D)$, uncertainty awareness $(\pm U)$ and the dataset one observation corresponds to (ds.).

Results are displayed in Figure 3; specific points correspond to weights assigned to one of the factors for one of the datapoints, factors are sorted from most to least impactful from top to bottom. We can see that which of domain specificity and uncertainty awareness has the strongest impact depends strictly on the metrics: Cases where $\pm D$ is assigned on average a greater absolute weight than $\pm \mathcal{U}$ account for exactly half of the metrics we study. Another import trend is that effects tied to $+\mathcal{D}$ are also often attested for $+\mathcal{U}$: if domain specificity is useful, then uncertainty awareness is as well.² Lastly, weights assigned to both $\pm D$ and $\pm \mathcal{U}$ are considerably smaller than those assigned to datasets, showcasing that these trends are often overpowered by the specifics of the task at hand.

Entropy. A desideratum we laid out above is to have large entropy scores when the model is incorrect. Focusing on entropy, we display how it compares to the probability mass assigned to the target in Figure 4. In detail, we retrieve all predictions for every datapoint across all classifiers and then *z*-normalize entropy scores and probability assigned the target class.³ We can see that incorrect

²There are two notable exceptions: ECE and coverage, where we find +D to be *detrimental*. Variation across seeds might explain the discrepancy with Table 5.

³When plotting entropy against probability mass assigned to the target class, we can keep in mind some useful points of reference. A perfect classifier that is always confidently correct should display a high probability mass and a low entropy (i.e., top left of our plot); what we hope to avoid is a confidently incorrect classifier (bottom left). As entropy and probability are statistically related, it is impossible to observe a high probability mass and a high entropy (top right). Lastly,



Figure 3: SHAP attributions. Variables are ordered by mean absolute SHAPs. In blue, weight assigned when the variable is negative; in red, when it is positive. 'ds.' denotes a categorical variable tracking the dataset.



Figure 4: Entropy vs. probability mass assigned to the target (z-normalized per classifier). Orange: correct predictions; Blue: incorrect.

predictions do result in more spread out entropy scores. Moreover, we can notice some tentative differences between the four types of classifiers of our study: Correct predictions from $+\mathcal{D} + \mathcal{U}$ models seem to lead to an especially tight correlation between entropy and probability mass.

However, establishing whether this difference is significant requires further testing. We therefore measure whether incorrect predictions lead to higher entropy in two ways: (i) using Mann– Whitney U-tests, from which we derive a common language effect size f (as the entropy of incorrect predictions should be higher);⁴ and (ii), by computing Spearman correlation coefficients between the

		effec	t size j	f	Spearman's ρ					
	η-	${aaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaaa$			$\scriptstyle \Sigma$ $\scriptstyle \Sigma$ $\scriptstyle \Sigma$ $\scriptstyle \Sigma$ $\scriptstyle +$ $\scriptstyle \Sigma$ $\scriptstyle +$					
	\mathcal{Q}_{-}	\mathcal{O}^+	\mathcal{Q}_{-}	\mathcal{D}^+	\mathcal{Q}_{-} \mathcal{Q}_{+} \mathcal{Q}_{-} \mathcal{Q}_{+}					
MedABS	62.5	64.8	62.4	67.3	-48.0 -47.9 -44.6 -53.5					
MedNLI	73.2	73.2	74.0	77.0	-73.2 -77.4 -76.1 -83.3					
SMOKING	75.8	71.6	74.2	74.8	-56.5 -38.0 -50.0 -56.0					
PxSLU	65.4	87.2	65.1	85.8	-85.4 - 69.1 - 87.3 - 96.2					
MedMCQA	65.6	63.8	66.6	68.2	-82.3 - 82.2 - 60.8 - 62.6					
MORFITT	65.6	66.1	$\overline{65.0}$	64.8	-54.6 -55.1 -50.8 -51.0					

Table 2: Statistical tests on entropy measurements, with **best** and <u>second best</u> highlighted.

entropy and the mass assigned to the target class (as entropy should degrade with correctness). Corresponding results are listed in Table 2: Across most of the datasets we study, the top or second most coherent distributions we observe are for domainspecific and uncertainty-aware models. However, we also observe that actual performances are highly sensitive to the exact classification task at hand.

5 Discussion & Conclusion

We can now answer our initial research questions.

RQ1: Are the benefits of uncertainty-awareness and domain-specificity orthogonal? We have seen in Table 2 that in most cases, using a classifier that was both domain-specific and uncertainty-aware led to the optimal distribution shape, with entropy more gracefully increasing with incorrectness.

RQ2: Should medical practitioners prioritize domain-specificity or uncertainty-awareness? SHAP attributions in Figure 3 strongly suggest that the evaluation metric dictates the strategy to follow. As one would expect, accuracy is better captured with domain-specific models, whereas uncertaintyaware models tend to be better calibrated.

We also found significant evidence throughout our experiments that the exact classification task at hand weighs in much more strongly than the design of the classifier. This extraneous factor necessar-

assuming the classifier outputs continuous scores, this statistical dependency also dictates that probability mass and entropy be inversely correlated for correct predictions.

⁴All U-tests suggest entropy for incorrect predictions is significantly higher ($p < 10^{-10}$).

ily complicates the relationship between domainspecificity and uncertainty-awareness: In a handful of cases in Figure 2, we observe classifiers that are neither uncertainty-aware nor domain specific faring best among all the models we survey—and conversely domain-specific uncertainty-aware classifiers can also rank dead last. This is also related to the often limited quantitative difference between best and worst models, which for instance can be as low as $\pm 2.3\%$ for F1 on MEDABS (cf. Table 5).

Overall, our experiments suggest a very nuanced conclusion. Domain-specificity and uncertaintyawareness do appear to shape classifiers' distributions and their entropy in distinct but compatible ways, but they have a lesser impact than the task itself. Hence, while we can often combine uncertainty-awareness and domain-specificity, there are no out-of-the-box solutions, and optimal performances require careful application designs.

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A Experimental details

A.1 Supplementary Bayesian models

We include the details for two more Bayesian models: MC-dropout and variational inference. Note that for all the Bayesian models we sample K=3 predictions at inference and use the mean prediction.

MCDropout (MCD) This model is based on a PLM encoder, similar to the main study models. The difference in this case is that Stochastic Dropout is applied over the classification layer. MCD (Gal and Ghahramani, 2016) proposes to extend the usage of Dropout but at inference time enabling it to sample a multiple K models, to make K predictions. The final prediction in the case of classification model can denoted as

$$\hat{y} = K^{-1} \sum_{k=1}^{K} f_i(x)$$

Variational inference (VI) This model is based on a PLM encoder, similar to the main study models, with variational inference dense layer as the classification layer. We use the Bayes by BackProp (Blundell et al., 2015) for the VI Dense layer. It approximates the distribution of each weight with a Gaussian distribution with parameter $\mathcal{N}(\mu, \rho)$. The weights are approximated with Monte Carlo gradient. Finally, the predictions are computed using the predictive posterior distribution, by sampling K weight instances and making one forward pass per set of weights same as MCD.

A.2 Implementation details

We use keras-uncertainty models for implementing our BNN model backbones.

Models		MedABS		MedNLI		SMOR	KING	PxSLU		MedMCQA		MORFITT	
		lr	Е	lr	Е	lr	Е	lr	Е	lr	Е	lr	Е
$-\mathcal{D}$	DNN	1e-5	4	5e-6	12	1e-4	15	5e-6	15	5e-6	14	5e-5	15
$-\mathcal{D}$	DC	5e-6	7	1e-5	11	1e-5	15	5e-6	13	5e-6	15	5e-5	13
$-\mathcal{D}$	MCD	5e-5	5	5e-6	15	5e-5	15	1e-5	14	5e-6	11	5e-5	10
$-\mathcal{D}$	VI	5e-6	7	1e-5	14	5e-6	13	5e-6	14	1e-6	15	5e-5	13
$+\mathcal{D}$	DNN	1e-5	4	1e-5	14	5e-5	15	1e-5	15	1e-5	10	5e-5	15
$+\mathcal{D}$	DC	5e-5	3	1e-5	13	1e-4	13	1e-5	15	5e-6	15	5e-5	13
$+\mathcal{D}$	MCD	5e-5	3	5e-5	12	5e-5	10	1e-5	14	1e-5	15	5e-5	13
$+\mathcal{D}$	VI	1e-5	5	5e-6	13	5e-5	14	1e-5	14	1e-6	15	5e-5	5

Table 3: Best hyparameter for each model configuration and dataset pair. We denote both English and French domain-specific PLMs with +D. The models DC, MCD, VI are from the +U set.

Hyperparameter Setting In all cases, we finetune the PLM backbone for all the downstream task with a maximum sequence length of 512 and a batch size of 50 sentences. We perform a grid hyper-parameter search for epochs= $\{3,4,5, ..., 15\}$ and $1r = \{1e-7, 5e-6, 1e-6, 5e-5, 1e-5, 5e-4, 1e-4\}$. We replicate training with 3 seeds for each hyperparameter configuration, select the optimal configuration for validation F1, and replicate training with 7 more seeds for these optimal configurations, so as to obtain 10 models per dataset, PLM and architecture. We also select the main BNN model of the study by selecting the system yielding the highest average rank across all six datasets, as displayed in Figure 5.

We train all models with binary cross entropy loss and Adam optimizer with $\epsilon = 10^{-8}$ and $\beta = (0.9, 0.999)$. For all BNN models, we obtain 3 sets of predictions after training the models to calculate the mean class probabilities. Corresponding optimal hyperparameters are listed in table 3.

A.3 Calibration metrics definition

In what follows, N denotes the number of samples in test set, C denotes the number of classes. Lower score for Brier score, ECE, SCE, NLL and Entropy metrics; and higher score for coverage, are indicative of better uncertainty aware model.

Brier score. Brier (1950) proposed BS which computes the mean square difference between the true classes and the predicted probabilities.

$$\mathbf{BS} = \frac{1}{N} \sum_{i=1}^{N} \sum_{c=1}^{C} (y_c^{(i)} - \hat{y}_c^{(i)})^2$$

Expected Calibration Error. Naeini et al. (2015) provides weighted average of the difference between accuracy and confidence across *B* bins.

$$\text{ECE} = \sum_{b=1}^{B} \frac{n_b}{N} |\operatorname{acc}(b) - \operatorname{conf}(b)|$$



Figure 5: Comparison of various BNN models for different datasets on classification task based on Macro-F1 on validation set.

where acc(b) and conf(b) are the average accuracy and confidence of predictions in bin b, respectively. We set B = 15 in our experiments.

Static Calibration Error. Nixon et al. (2019) proposed an extension of ECE to multi-class problems to overcome its limitation of dependence of the number of bins.

$$SCE = \sum_{c=1}^{C} \sum_{b=1}^{B} \frac{n_b}{NC} |\operatorname{acc}(b) - \operatorname{conf}(b)|$$

We set B = 15 in our experiments.

Negative Log Likelihood. serves as the primary approach for optimizing neural networks in classification tasks. Interestingly, this loss function can also double as an effective metric for assessing uncertainty.

$$\mathrm{NLL} = -\sum_{i=1}^{N} y_i \log(\hat{y}_i)$$

Coverage Percentage. The normalized form of number of times the correct class in indeed contain within the prediction set.

Shannon Entropy. quantifies the expected uncertainty inherent in the possible outcomes of a discrete random variable.

$$H = -\sum_{i=1}^{N} p_i \log(p_i)$$

A.4 Dataset

We provided supplementary details about each dataset we used in Table 4.

B Full results

We present the detailed Table for all the configurations in Table 5. As noted in the main text, the most obvious trend across the board is that scores are tightly coupled with datasets: The range of scores achieved by all classifiers we study tends to be fairly limited across a given dataset, whereas we can observe often spectacular differences from one dataset to the next.

Insofar as classification metrics go, we observe that $+\mathcal{D}$ models almost always occupy the top ranks. This is especially salient in MedABS and MedNLI, where all $+\mathcal{D}$ classifiers outperform all $-\mathcal{D}$ classifiers both in terms of F1 and accuracy. In PxSLU, the only model that deviates from this trend is the $+\mathcal{D}-\mathcal{U}$ model, which appears to suffer from an especially low accuracy. In the two other French datasets, along with SMOKING, classification metrics do not exhibit as clear a division between domain-specific and general PLMs.

As for calibration metrics, we find a very similar behavior to what we highlight in the main text: uncertainty-unaware model almost never rank among the top two contenders. Rankings per metric tend to be fairly stable as long as we control for domain-specificity.

Lastly, having a look at the various Bayesian architecture, we can see that DropConnect is not necessarily the most optimal system across all uncertainty-aware classifiers. Selecting the best architectures given 3 seeds, and then expanding to 10 seeds most likely led to some degree of sampling

Dataset	Sample	Classes	Label Distribution
MedABS (Schopf et al., 2023)	{text: "Catheterization of coronary artery bypass graft from the descending aorta. The increasing frequency of reoperation for coronary artery disease has led to the use of a variety of grafts. This report describes the catheter technique for selective opacification of a saphenous vein graft from the descending thoracic aorta to the posterior coronary circulation. ", label: "Cardiovascular diseases" }	{ 'Neoplasms', 'Digestive sys- tem', 'Nervous system', 'Car- diovascular', 'General patholog- ical' }	[1925 913 1149 1804 2871]
MedNLI (Romanov and Shivade)	<pre>{text: "No history of blood clots or DVTs, has never had chest pain prior to one week ago. [SEP] Patient has angina", label: "entailment"}</pre>	{"entailment", "contradict", "neutral" }	[3744 3744 3744]
SMOKING (Uzuner et al., 2008)	<pre>{text: "071962960 bh 4236518 417454 12/10/2001 12:00:00 am discharge summary unsigned dis report status : unsigned discharge summary name : sterpsap, ny unit number : 582-96- 88 admission date : 12/10/2001 discharge date : 12/19/2001 principal diagnosis : prosthetic aortic valve dysfunction as- sociated diagnoses : aortic valve insufficiency bacterial en docarditis , active principal procedure : urgent re-do aortic valve replacement and correction of left ventricular to aortic discontinuity . (12/13/2001) other procedures : aortic root aortogram (12/12/2001) cardiac ultrasound (12/13/2001) in- sertion dual chamber pacemaker (12/15/2001) picc-line place- ment (12/18/2001) history and reason for hospitalization : mr. sterpsap", label: "CURRENT SMOKER"]</pre>	{'CURRENT SMOKER', 'NON-SMOKER', 'PAST SMOKER', 'SMOKER', 'UNKNOWN' }	[27 49 24 8 190]
MEDMCQA (Labrak et al., 2023a)	{text: "ans la liste suivante, quels sont les antibiotiques utilis- ables pour traiter une salmonellose chez un adulté?", label: 2}	{1,2,3,4,5}	[595 528 718 296 34]
MORFITT (Labrak et al., 2023b)	{text: "La survenue de complications postopératoires représente un cauchemar (bien réel), tant pour le patient que pour son chirurgien. Dès lors, quoi de plus fan- tasmagorique que d'administrer une « potion magique » au patient avant l'intervention pour éliminer ce risque ? Le but de cet article est de résumer l'état des connais- sances actuelles concernant les bénéfices potentiels, liés à l'administration d'immunonutrition aux patients traités pour cancer urologique", original_label: ["Immunolo- gie", "Chirurgie",], label: "Immunologie"]	{'Vétérinaire', 'Étiologie', 'Psychologie', 'Chirurgie', 'Génétique', 'Physiologie', 'Pharmacologie', 'Microbiolo- gie', 'Immunologie', 'Chimie', 'Virologie', 'Parasitologie' }	[82 261 32 122 40 17 152 39 242 185 104 238]
PxSLU (Kocabiyikoglu et al., 2022)	<pre>{text: "antacapone 200 milligrammes 2 comprimés le matin 1 comprimé à midi 2 comprimé le soir traitement pour une durée totale de 4 semaines", label: "medical_prescription"}</pre>	{"medical_prescription", "negate","replace", "none" }	[1276 15 82 13]

Table 4: Sample data from each Dataset

bias, explaining this discrepancy. It does however constitute a strong contender across many situations: it still remains the best ranking Bayesian architecture on average both in terms of F1 across the validation set, as well as in terms of test BS., ECE, SCE, NLL and Entropy.

In fact, differences in terms of ranks across datasets per architecture are not always significant: If we normalize all 80 classifiers per dataset by taking their rank, then Kruskal-Wallis H-test suggest that F1, accuracy and ECE do not lead to significant rank differences across architectures (assuming a threshold of p < 0.05). Likewise, comparing $+\mathcal{D}$ and $-\mathcal{D}$ models with the same procedure does not lead to significant differences in terms of ECE, SCE, and coverage.

	м	odel	Classif	ication	Uncertainty							
	101	oder	Macro-F1([†])	Accuracy(†)	BS(↓)	$\text{ECE}(\downarrow)$	$SCE(\downarrow)$	$\text{NLL}(\downarrow)$	Cov%(↑)	$Entropy(\downarrow)$		
I	$egin{array}{c} -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \end{array}$	DNN DC MCD	$\begin{array}{c} 60.3633 {\pm} 0.003 \\ 60.9855 {\pm} 0.004 \\ 60.6979 {\pm} 0.004 \end{array}$	$\begin{array}{c} 60.9765 {\pm} 0.002 \\ 61.1842 {\pm} 0.003 \\ 60.0993 {\pm} 0.006 \end{array}$	$\begin{array}{c} 0.5535 {\pm} 0.008 \\ 0.5518 {\pm} 0.002 \\ 0.5691 {\pm} 0.015 \end{array}$	$\begin{array}{c} 0.1387 {\pm} 0.016 \\ \underline{0.1342} {\pm} 0.007 \\ 0.1503 {\pm} 0.014 \end{array}$	$\begin{array}{c} 0.0683 {\pm} 0.004 \\ 0.0674 {\pm} 0.003 \\ 0.0688 {\pm} 0.01 \end{array}$	$\begin{array}{c} 1.3261 {\pm} 0.001 \\ 1.3192 {\pm} 0.002 \\ 1.3235 {\pm} 0.008 \end{array}$	$\begin{array}{c} 0.8976 {\pm} 0.013 \\ 0.9611 {\pm} 0.003 \\ 0.9401 {\pm} 0.013 \end{array}$	$\begin{array}{c} 1.5579 {\pm} 0.002 \\ 1.5556 {\pm} 0.001 \\ 1.5542 {\pm} 0.002 \end{array}$		
MedABS 📼	$-\mathcal{D}$ $+\mathcal{D}$	VI DNN	60.8725±0.001 60.8077±0.013	61.1611±0.001 61.3343±0.01	0.5531±0.006 0.5499±0.014	0.1394±0.004 0.1448±0.005	0.0695 ± 0.003 0.0695 ± 0.001	$\frac{1.3164 \pm 0.003}{1.3201 \pm 0.014}$	0.958±0.001 0.9193±0.005	$\frac{1.5541 \pm 0.001}{1.5561 \pm 0.003}$		
Me	\mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D}	DC MCD VI	$\frac{62.5642}{62.2038\pm0.022}$	62.1018 ± 0.01 62.1307 ± 0.022 63.1694 ± 0.003	$\begin{array}{r} 0.5499 \pm 0.014 \\ \underline{0.5243} \pm 0.015 \\ 0.5226 \pm 0.031 \\ \textbf{0.5234} \pm 0.009 \end{array}$	0.1381±0.005 0.1381±0.016 0.1238±0.031 0.1464±0.01	$\frac{0.0624}{0.0593\pm0.007}$ $\frac{0.0593\pm0.007}{0.0593\pm0.015}$ 0.0653±0.003	$\frac{1.2962 \pm 0.007}{1.3056 \pm 0.013}$ 1.288 \pm 0.006	$\frac{0.9597}{0.9666\pm0.01}\pm0.008$	$\frac{1.5501\pm0.003}{1.5523\pm0.002}$ $\frac{1.5562\pm0.002}{1.5491\pm0.002}$		
	$-\mathcal{D}$ $-\mathcal{D}$	DNN	73.8951±0.013	73.8397±0.015	0.3976±0.006	0.1278±0.02	0.0846±0.012	0.8177±0.015	<u>0.9119</u> ±0.008	1.0156±0.008		
MedNLI	$\mathcal{D} - \mathcal{D} - \mathcal{D}$	DC MCD VI	$\begin{array}{c} 74.8161 \pm 0.019 \\ 72.8896 \pm 0.03 \\ 73.0816 \pm 0.022 \end{array}$	$\begin{array}{c} 74.8711 {\pm} 0.018 \\ 73.0192 {\pm} 0.03 \\ 73.1364 {\pm} 0.022 \end{array}$	$\begin{array}{c} 0.4242 {\pm} 0.021 \\ 0.4163 {\pm} 0.009 \\ 0.4426 {\pm} 0.016 \end{array}$	$\begin{array}{c} 0.185 {\pm} 0.007 \\ \underline{0.1214} {\pm} 0.049 \\ \overline{0.185} {\pm} 0.023 \end{array}$	$\begin{array}{c} 0.1259 {\pm} 0.005 \\ \underline{0.0865} {\pm} 0.03 \\ 0.1265 {\pm} 0.015 \end{array}$	0.7945±0.014 0.8298±0.037 0.8109±0.022	$\begin{array}{c} 0.8509 {\pm} 0.007 \\ 0.9109 {\pm} 0.04 \\ 0.857 {\pm} 0.035 \end{array}$	$\begin{array}{c} 0.9941 {\pm} 0.002 \\ 1.0171 {\pm} 0.02 \\ 0.9983 {\pm} 0.011 \end{array}$		
MedN	$\mathcal{D} + \mathcal{D} + \mathcal{D} + \mathcal{D}$	DNN DC MCD	77.172 ± 0.041 $\underline{79.9945} \pm 0.037$ 80.1022 ± 0.014	77.2386±0.039 80.0047±0.037 80.1688±0.014	$\begin{array}{c} 0.3783 \pm 0.05 \\ \textbf{0.3375} \pm 0.045 \\ \underline{0.3453} \pm 0.02 \\ \hline 0.2511 \end{array}$	0.1579±0.009 0.1392±0.005 0.1565±0.009	0.107±0.007 0.0956±0.002 0.1065±0.005	0.7736±0.039 0.7486±0.041 0.7437±0.012	0.857±0.015 0.8872±0.011 0.8654±0.004	0.9952±0.008 0.9924±0.011 0.9872±0.001		
	\mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D}	VI DNN DC MCD	$\begin{array}{c} 77.0617 {\pm} 0.043 \\ \hline \ \ \ \ \ \ \ \ \ \ \ \ \$	$\begin{array}{c} 77.1027 {\pm} 0.042 \\ \\ 45.8333 {\pm} 0.142 \\ \\ 46.7949 {\pm} 0.039 \\ \\ 45.8333 {\pm} 0.073 \end{array}$	$\begin{array}{c} 0.351 {\pm} 0.046 \\ \\ 0.7724 {\pm} 0.054 \\ \\ \textbf{0.6407} {\pm} 0.035 \\ \\ 0.7609 {\pm} 0.077 \end{array}$	0.1041±0.019 0.2961±0.057 0.1625±0.043 0.2771±0.048	0.0773±0.01 0.154±0.012 0.1215±0.016 0.1507±0.021	$\begin{array}{c} 0.7851 {\pm} 0.046 \\ \hline 1.4298 {\pm} 0.106 \\ 1.4331 {\pm} 0.035 \\ 1.4519 {\pm} 0.045 \end{array}$	$\begin{array}{c} \textbf{0.9293} {\pm} 0.025 \\ 0.7724 {\pm} 0.163 \\ \underline{0.9455} {\pm} 0.031 \\ 0.8942 {\pm} 0.058 \end{array}$	$\frac{1.0101\pm0.015}{1.5536\pm0.028}\\ 1.5791\pm0.01\\ 1.5651\pm0.003$		
SMOKING =	$-\mathcal{D}$ $+\mathcal{D}$ $+\mathcal{D}$ $+\mathcal{D}$	VI DNN DC MCD	$\begin{array}{r} 23.4485 \pm 0.034 \\ \hline 24.9822 \pm 0.041 \\ \underline{27.0293} \pm 0.033 \\ 25.0029 \pm 0.051 \end{array}$	32.0513±0.043 51.6026 ±0.071 47.1154±0.075 40.3846±0.058 52.03051	0.7197 ± 0.053 0.6764 ± 0.076 0.841 ± 0.043 0.6777 ± 0.022	$\begin{array}{c} 0.2171 \pm 0.021 \\ 0.2262 \pm 0.013 \\ 0.3441 \pm 0.053 \\ \underline{0.206} \pm 0.019 \\ 0.22221 \end{array}$	$\begin{array}{c} 0.15 \pm 0.023 \\ \hline 0.1334 \pm 0.031 \\ \hline 0.1738 \pm 0.007 \\ \hline 0.1401 \pm 0.014 \\ \hline 0.1501 \\ \hline \end{array}$	$\frac{1.5031\pm0.038}{1.3928\pm0.068}$ $\frac{1.4297\pm0.06}{1.482\pm0.014}$	0.8974±0.113 0.6571±0.114 0.7276±0.118 0.9487±0.04	$\frac{1.5887 \pm 0.004}{1.5596 \pm 0.011}$ $\frac{1.5419 \pm 0.02}{1.5895 \pm 0.003}$		
	\mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D}	VI DNN DC MCD VI	$\begin{array}{r} 26.1167 {\pm} 0.03 \\ 32.2541 {\pm} 0.075 \\ 34.1464 {\pm} 0.026 \\ 33.211 {\pm} 0.067 \\ 25.9883 {\pm} 0.041 \end{array}$	$\frac{50.3205 \pm 0.094}{88.2452 \pm 0.012}$ $\frac{84.2989 \pm 0.05}{88.6902 \pm 0.018}$ $\frac{88.9169 \pm 0.013}{88.9169 \pm 0.013}$	$\begin{array}{r} 0.765 {\pm} 0.175 \\ \hline 0.5743 {\pm} 0.077 \\ 0.4599 {\pm} 0.088 \\ 0.5232 {\pm} 0.103 \\ 0.5393 {\pm} 0.021 \end{array}$	$\begin{array}{c} 0.3201 {\pm} 0.094 \\ 0.4556 {\pm} 0.094 \\ 0.3936 {\pm} 0.047 \\ 0.4852 {\pm} 0.079 \\ 0.5014 {\pm} 0.026 \end{array}$	$\begin{array}{c} 0.1584 {\pm} 0.045 \\ 0.2955 {\pm} 0.014 \\ 0.2354 {\pm} 0.03 \\ 0.2615 {\pm} 0.027 \\ 0.2552 {\pm} 0.007 \end{array}$	$\begin{array}{c} \textbf{1.3857} {\pm} 0.094 \\ \hline 1.2807 {\pm} 0.05 \\ 1.2154 {\pm} 0.062 \\ 1.2571 {\pm} 0.062 \\ 1.2666 {\pm} 0.014 \end{array}$	0.75±0.063 0.995±0.004 1.0±0.0 1.0±0.0 1.0±0.0	1.5397±0.003 1.3821±0.003 1.3768±0.007 1.3806±0.004 1.3814±0.001		
ExSLU	$\begin{array}{c} +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \end{array}$	DNN DC MCD VI	$\begin{array}{c} 33.1131 {\pm} 0.097 \\ \underline{40.3372} {\pm} 0.07 \\ 34.1571 {\pm} 0.029 \\ \textbf{41.8279} {\pm} 0.073 \end{array}$	$\begin{array}{c} 80.1763 {\pm} 0.238 \\ 89.1184 {\pm} 0.039 \\ \underline{89.1436} {\pm} 0.026 \\ \textbf{91.0999} {\pm} 0.015 \end{array}$	$\begin{array}{c} 0.5389 {\pm} 0.116 \\ \underline{0.2649} {\pm} 0.127 \\ 0.5403 {\pm} 0.043 \\ \textbf{0.1634} {\pm} 0.051 \end{array}$	$\begin{array}{c} 0.3929 {\pm} 0.057 \\ \underline{0.2576} {\pm} 0.105 \\ 0.5074 {\pm} 0.015 \\ \textbf{0.1403} {\pm} 0.064 \end{array}$	$\begin{array}{c} 0.2867 {\pm} 0.037 \\ \underline{0.1568} {\pm} 0.058 \\ 0.2663 {\pm} 0.013 \\ \textbf{0.0861} {\pm} 0.029 \end{array}$	$\begin{array}{c} 1.2548 {\pm} 0.06 \\ \underline{1.0539} {\pm} 0.111 \\ 1.2694 {\pm} 0.026 \\ \textbf{0.9464} {\pm} 0.066 \end{array}$	$\begin{array}{c} 0.9831 {\pm} 0.018 \\ \underline{0.9997} {\pm} 0.001 \\ 1.0 {\pm} 0.0 \\ 0.9958 {\pm} 0.004 \end{array}$	$\begin{array}{c} 1.38 {\pm} 0.003 \\ \underline{1.3496} {\pm} 0.021 \\ 1.3821 {\pm} 0.002 \\ \textbf{1.3246} {\pm} 0.019 \end{array}$		
MEDMCQA	$egin{array}{c} -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \end{array}$	DNN DC MCD VI	$\begin{array}{c} 28.5727 {\pm} 0.03 \\ \textbf{32.0291} {\pm} 0.003 \\ 28.3648 {\pm} 0.029 \\ 23.1977 {\pm} 0.042 \end{array}$	$\frac{63.88}{63.5584 \pm 0.055}$ 63.5584 \pm 0.007 61.3612 \pm 0.103 48.5531 \pm 0.046	$\begin{array}{c} 0.6787 {\pm} 0.1 \\ \textbf{0.4822} {\pm} 0.015 \\ 0.7533 {\pm} 0.044 \\ 0.7499 {\pm} 0.023 \end{array}$	$\begin{array}{c} 0.3256 {\pm} 0.043 \\ \textbf{0.165} {\pm} 0.01 \\ 0.3819 {\pm} 0.084 \\ 0.242 {\pm} 0.033 \end{array}$	$\begin{array}{c} 0.1575 {\pm} 0.021 \\ \textbf{0.1099} {\pm} 0.0 \\ 0.1518 {\pm} 0.02 \\ 0.1329 {\pm} 0.004 \end{array}$	$\begin{array}{c} 1.5347 {\pm} 0.062 \\ \textbf{1.3846} {\pm} 0.009 \\ 1.5848 {\pm} 0.024 \\ 1.5822 {\pm} 0.013 \end{array}$	0.9625±0.033 0.9764±0.007 1.0 ±0.0 1.0 ±0.0	$\begin{array}{c} 1.6063 {\pm} 0.003 \\ \textbf{1.5888} {\pm} 0.001 \\ 1.6091 {\pm} 0.0 \\ 1.6089 {\pm} 0.0 \end{array}$		
MEDM	$\begin{array}{c} +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \end{array}$	DNN DC MCD VI	$\begin{array}{r} 28.1549 {\pm} 0.045 \\ 29.7558 {\pm} 0.07 \\ \underline{31.0912} {\pm} 0.016 \\ 23.1243 {\pm} 0.035 \end{array}$	$\begin{array}{c} 61.0932 {\pm} 0.089 \\ 60.343 {\pm} 0.103 \\ \textbf{68.4352} {\pm} 0.033 \\ 49.8553 {\pm} 0.031 \end{array}$	$\begin{array}{c} 0.6859 {\pm} 0.12 \\ 0.6687 {\pm} 0.17 \\ \underline{0.5541} {\pm} 0.115 \\ 0.7415 {\pm} 0.017 \end{array}$	$\begin{array}{c} 0.3026 {\pm} 0.009 \\ 0.2973 {\pm} 0.069 \\ 0.3122 {\pm} 0.059 \\ \underline{0.2336} {\pm} 0.026 \end{array}$	$\begin{array}{c} 0.1582{\pm}0.01\\ 0.1278{\pm}0.018\\ 0.1477{\pm}0.031\\ \underline{0.1222}{\pm}0.008\end{array}$	$\begin{array}{c} 1.5388 {\pm} 0.077 \\ 1.5216 {\pm} 0.122 \\ \underline{1.4543} {\pm} 0.081 \\ 1.5765 {\pm} 0.01 \end{array}$	$\begin{array}{c} 0.9775 {\pm} 0.02 \\ 0.9893 {\pm} 0.019 \\ \underline{0.9936} {\pm} 0.011 \\ \hline \textbf{1.0} {\pm} 0.0 \end{array}$	$\begin{array}{c} 1.6064 {\pm} 0.004 \\ 1.6025 {\pm} 0.012 \\ \underline{1.5999} {\pm} 0.007 \\ 1.6085 {\pm} 0.0 \end{array}$		
MORFITT III	$egin{array}{c} -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \ -\mathcal{D} \end{array}$	DNN DC MCD VI	$\begin{array}{c} 49.7506 {\pm} 0.009 \\ \underline{55.4551} {\pm} 0.01 \\ 48.3269 {\pm} 0.008 \\ 53.0834 {\pm} 0.014 \end{array}$	$\begin{array}{c} 59.038 {\pm} 0.012 \\ \underline{62.5306} {\pm} 0.008 \\ \overline{57.3529} {\pm} 0.008 \\ 61.6728 {\pm} 0.01 \end{array}$	$\begin{array}{c} 0.6499 {\pm} 0.022 \\ 0.6134 {\pm} 0.003 \\ 0.6309 {\pm} 0.021 \\ 0.6408 {\pm} 0.042 \end{array}$	$\begin{array}{c} 0.2323 {\pm} 0.021 \\ 0.2243 {\pm} 0.003 \\ 0.1519 {\pm} 0.05 \\ 0.2571 {\pm} 0.039 \end{array}$	$\begin{array}{c} 0.0398 {\pm} 0.005 \\ 0.0425 {\pm} 0.001 \\ 0.0464 {\pm} 0.007 \\ 0.0477 {\pm} 0.006 \end{array}$	$\begin{array}{c} 2.0748 {\pm} 0.015 \\ 2.0332 {\pm} 0.006 \\ 2.2692 {\pm} 0.03 \\ \textbf{2.0245} {\pm} 0.007 \end{array}$	$\begin{array}{c} 0.796 {\pm} 0.045 \\ 0.8775 {\pm} 0.014 \\ \textbf{0.9856} {\pm} 0.006 \\ 0.7724 {\pm} 0.047 \end{array}$	$\begin{array}{c} 2.4454 {\pm} 0.003 \\ 2.4411 {\pm} 0.001 \\ 2.4767 {\pm} 0.003 \\ \textbf{2.4369} {\pm} 0.004 \end{array}$		
MORF	$\begin{array}{c} +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \\ +\mathcal{D} \end{array}$	DNN DC MCD VI	$\begin{array}{c} 53.4963 {\pm} 0.019 \\ \textbf{56.4418} {\pm} 0.018 \\ 51.8519 {\pm} 0.015 \\ 54.2993 {\pm} 0.011 \end{array}$	$\begin{array}{c} 61.8015 {\pm} 0.014 \\ \textbf{62.9596} {\pm} 0.02 \\ 60.5392 {\pm} 0.006 \\ 62.7145 {\pm} 0.01 \end{array}$	$\begin{array}{c} 0.6081 {\pm} 0.017 \\ 0.6148 {\pm} 0.027 \\ \underline{0.5718} {\pm} 0.003 \\ \textbf{0.5346} {\pm} 0.008 \end{array}$	$\begin{array}{c} 0.2098 {\pm} 0.014 \\ 0.2325 {\pm} 0.018 \\ \underline{0.0687} {\pm} 0.022 \\ \textbf{0.0488} {\pm} 0.018 \end{array}$	$\begin{array}{c} 0.0363 {\pm} 0.002 \\ 0.0433 {\pm} 0.003 \\ \underline{0.0298} {\pm} 0.0 \\ \textbf{0.0279} {\pm} 0.002 \end{array}$	$\begin{array}{c} 2.0538 {\pm} 0.015 \\ \underline{2.0251} {\pm} 0.015 \\ 2.1426 {\pm} 0.01 \\ 2.1064 {\pm} 0.014 \end{array}$	$\begin{array}{c} 0.8334{\pm}0.01\\ 0.8667{\pm}0.03\\ 0.9651{\pm}0.005\\ \underline{0.9752}{\pm}0.007\end{array}$	$\begin{array}{c} 2.4453 {\pm} 0.002 \\ \underline{2.4394} {\pm} 0.001 \\ 2.4629 {\pm} 0.002 \\ 2.4602 {\pm} 0.002 \end{array}$		

Table 5: Comparison for text classification performance and uncertainty-awareness. We report the mean of 10 seed runs for all the metrics. We denote best score with **bold** and second best with <u>underline</u>. We denote both English and French domain-specific PLMs with +D. The models DC, MCD, VI are from the +U set.