

Stock Movement Prediction from Tweets and Historical Prices

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ACL, 2018.

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Who cares about stock movements?



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No one would be unhappy if they could predict stock movements

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Investor

Government

Researcher

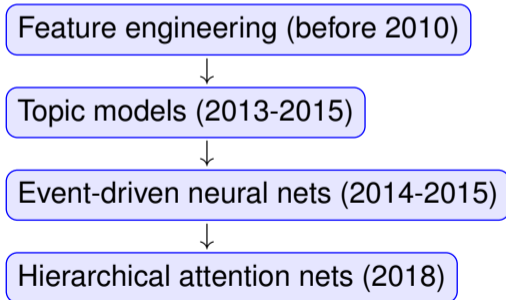
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Background

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- ▶ Two main content resources in NLP: public news and social media

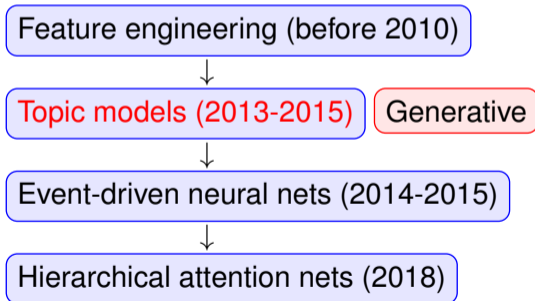
Background

- ▶ Two mainstreams in finance: technical and **fundamental** analysis
- ▶ Two main content resources in NLP: public news and social media
- ▶ History of NLP models



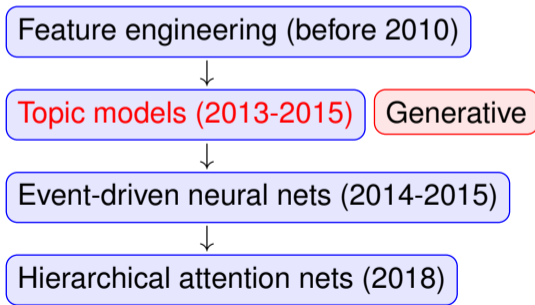
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Background

- ▶ Two mainstreams in finance: **technical** and **fundamental** analysis
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However, it has never been easy...

Complexities

The market is highly **stochastic**, and we make **temporally-dependent** predictions from **chaotic** data.

- 1 Chaotic market information
 - Noisy and heterogeneous
- 2 High market stochasticity
 - Random-walk theory (Malkiel, 1999)
- 3 Temporally-dependent prediction
 - When a company suffers from a major scandal on a trading day, its stock price will have a downtrend in the coming trading days
 - Public information needs time to be absorbed into movements over time (Luss and d'Aspremont, 2015), and thus is largely shared across temporally-close predictions

Divide and treat

1 Chaotic market information

- Noisy and heterogeneous

Market Information Encoder

2 High market stochasticity

- Random walk theory (Malkiel, 1999)

Variational Movement Decoder

3 Temporally-dependent prediction

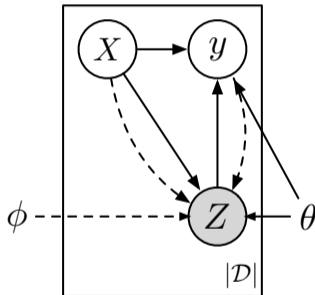
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Attentive Temporal Auxiliary

Stock Movement Prediction

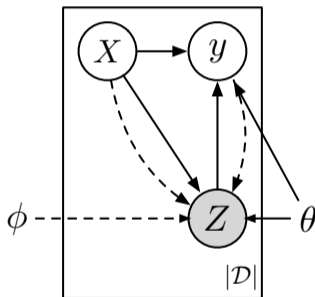
- ▶ We estimate the **binary movement** where 1 denotes rise and 0 denotes fall
- ▶ Target trading day: d
- ▶ We use the market information comprising relevant **tweets**, and historical **prices**, in the **lag** $[d - \Delta d, d - 1]$ where Δd is a *fixed* lag size

Generative Process



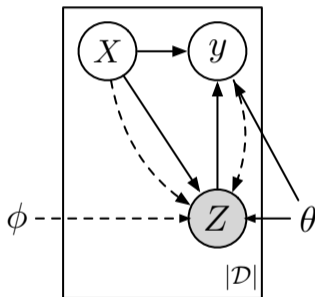
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- ▶ Generate the **latent driven factor** $Z = [z_1; \dots; z_T]$

Generative Process

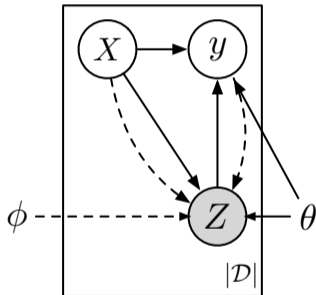


- ▶ T eligible trading days in the Δd lag
- ▶ Encode observed market information as a random variable $X = [x_1; \dots; x_T]$
- ▶ Generate the **latent driven factor** $Z = [z_1; \dots; z_T]$
- ▶ Generate stock movements $y = [y_1, \dots, y_T]$ from X, Z

- ▶ For multi-task learning, we model $p_\theta(y|X) = \int_Z p_\theta(y, Z|X)$ instead of $p_\theta(y_T|X)$
 - **Main target:** y_T
 - **Temporal auxiliary target:** $y^* = [y_1, \dots, y_{T-1}]$
- ▶ Factorization

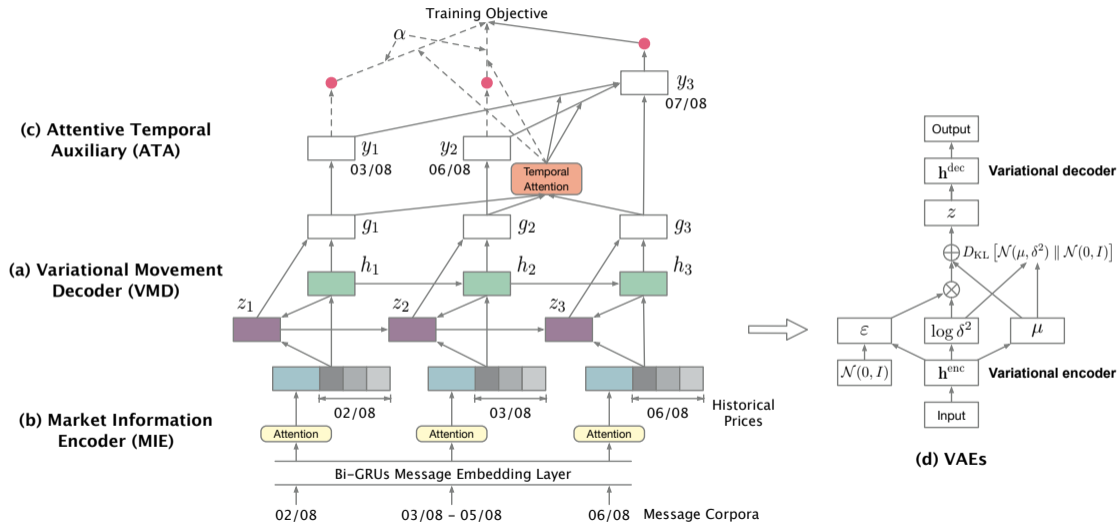
$$p_\theta(y, Z|X) = p_\theta(y_T|X, Z) p_\theta(z_T|z_{<T}, X) \prod_{t=1}^{T-1} p_\theta(y_t|x_{\leq t}, z_t) p_\theta(z_t|z_{<t}, x_{\leq t}, y_t)$$

Primary components



- 1 Market Information Encoder (MIE)
 - Encodes X
- 2 Variational Movement Decoder (VMD)
 - Infers Z with X, y and decodes stock movements y from X, Z
- 3 Attentive Temporal Auxiliary (ATA)
 - Integrates temporal loss for training

StockNet architecture



Variational Movement Decoder

- ▶ Goal: recurrently **infer** Z from X, y and **decode** y from X, Z
- ▶ Challenge: posterior inference is intractable in our factorized model

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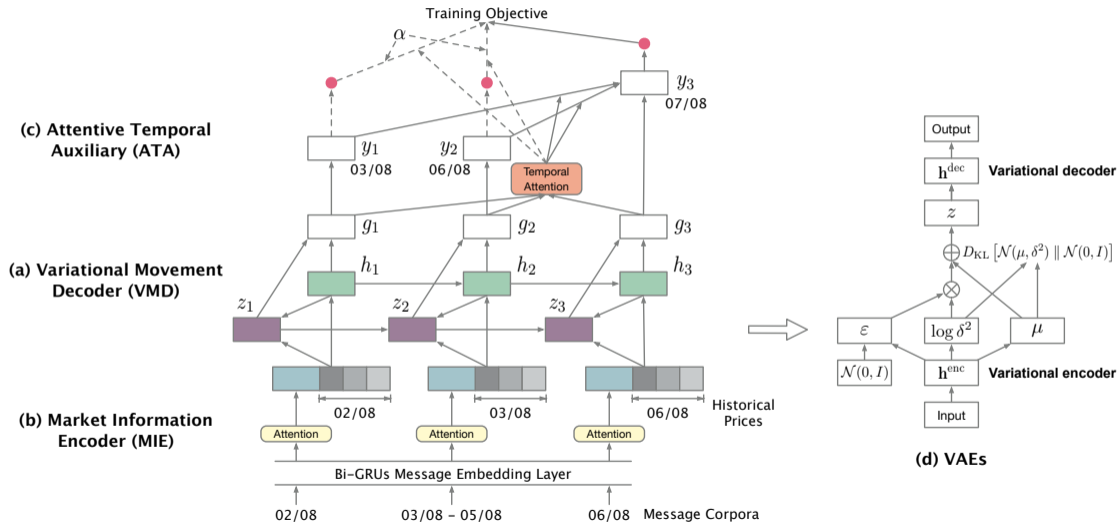
VAE solutions

- ▶ **Neural approximation** and **reparameterization**
- ▶ Recurrent ELBO
- ▶ Adopt a **posterior approximator**

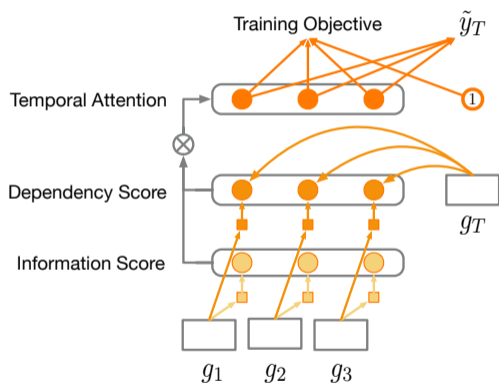
$$q_{\phi}(z_t | z_{<t}, x_{\leq t}, y_t) \sim \mathcal{N}(\mu, \delta^2 I)$$

where $\phi = \{\mu, \delta\}$

StockNet architecture



Interface between VMD and ATA



- ▶ Integrate the deterministic feature h_t and the latent variable z_t

$$g_t = \tanh(W_g[x_t, h_t^s, z_t] + b_g)$$

- ▶ Decode movement hypothesis: first auxiliary targets, then main target
- ▶ Temporal attention: v^*

Attentive Temporal Auxiliary

- ▶ Break down the approximated \mathcal{L} to **temporal objectives** $f \in \mathbb{R}^{T \times 1}$

$$f_t = \log p_\theta(y_t | x_{\leq t}, z_{\leq t}) \\ - \lambda D_{\text{KL}}[q_\phi(z_t | z_{< t}, x_{\leq t}, y_t) \parallel p_\theta(z_t | z_{< t}, x_{\leq t})]$$

- ▶ Reuse v^* to build the final temporal weight vector $v \in \mathbb{R}^{1 \times T}$

$$v = [\alpha v^*, \mathbf{1}]$$

where $\alpha \in [0, 1]$ controls the overall auxiliary effects

- ▶ Recompose \mathcal{F}

$$\mathcal{F}(\theta, \phi; X, y) = \frac{1}{N} \sum_n^N v^{(n)} f^{(n)}$$

- ▶ Dataset
 - Two-year daily price movements of 88 stocks
 - Two components: a Twitter dataset and a historical price dataset
 - Training: 20 months, 20,339 movements
 - Development: 2 months, 2,555 movements
 - Test: 2 months, 3,720 movements
- ▶ Lag window: 5
- ▶ Metrics: accuracy and Matthews Correlation Coefficient (MCC)
- ▶ Comparative study: five baselines from different genres and five StockNet variations

Baselines

- ▶ RAND: a naive predictor making random guess
- ▶ ARIMA: Autoregressive Integrated Moving Average
- ▶ RANDOMFOREST (Pagolu et al., 2016)
- ▶ TSLDA (Nguyen and Shirai, 2015)
- ▶ HAN (Hu et al., 2018)

StockNet variants

- ▶ HEDGEFUNDANALYST: **fully-equipped**
- ▶ TECHNICALANALYST: from only prices
- ▶ FUNDAMENTALANALYST: from only tweets
- ▶ INDEPENDENTANALYST: optimizing only the main target
- ▶ DISCRIMINATIVEANALYST: a discriminative variant

| Baseline models | Acc. | MCC |
|-----------------|--------------|-----------------|
| RAND | 50.89 | -0.002266 |
| ARIMA | 51.39 | -0.020588 |
| RANDFOREST | 53.08 | 0.012929 |
| TSLDA | 54.07 | 0.065382 |
| HAN | 57.64 | 0.051800 |

| StockNet variations | Acc. | MCC |
|-----------------------|--------------|-----------------|
| TECHNICALANALYST | 54.96 | 0.016456 |
| FUNDAMENTALANALYST | 58.23 | 0.071704 |
| INDEPENDENTANALYST | 57.54 | 0.036610 |
| DISCRIMINATIVEANALYST | 56.15 | 0.056493 |
| HEDGEFUNDANALYST | 58.23 | 0.080796 |

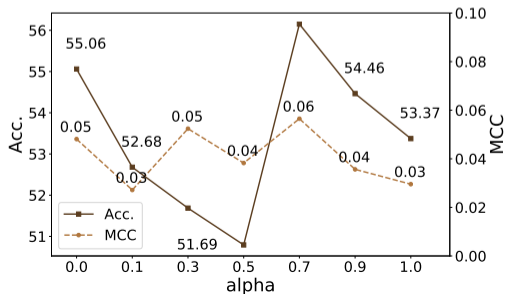
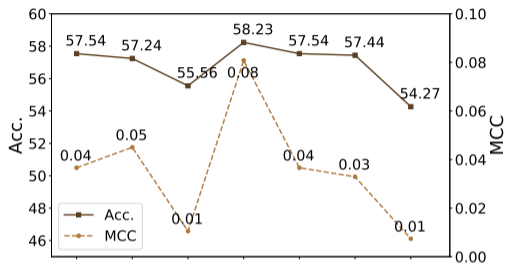
Baseline comparison

- ▶ The accuracy of **56%** is generally reported as a satisfying result (Nguyen and Shirai, 2015)
- ▶ ARIMA: does not yield satisfying results
- ▶ Two best baselines: TSLDA and HAN

Variant comparison

- ▶ Two information sources are integrated effectively
- ▶ Generative framework incorporates randomness properly

Effects of temporal auxiliary



- ▶ The auxiliary weight $\alpha \in [0, 1]$ controls overall auxiliary effects

$$v = [\alpha v^*, 1]$$

- ▶ Our models do not linearly benefit from temporal auxiliary
- ▶ Tweaking α acts as a trade-off between focusing on the main target and generalizing by denoising

- ▶ We demonstrated the effectiveness of deep generative approaches for stock movement prediction from social media
- ▶ Outlook
 - Better way to integrate fundamental information and technical indicators
 - Other market signals, e.g. financial disclosures, periodic analyst reports and company profiles
 - Investment simulation with modern portfolio theory
- ▶ Dataset is available at <https://github.com/yumoxu/stocknet-dataset>

- Ziniu Hu, Weiqing Liu, Jiang Bian, Xuanzhe Liu, and Tie-Yan Liu. 2018. Listening to chaotic whispers: A deep learning framework for news-oriented stock trend prediction. In *Proceedings of the Eleventh ACM International Conference on Web Search and Data Mining*. ACM, Los Angeles, California, USA, pages 261–269.
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- Venkata Sasank Pagolu, Kamal Nayan Reddy, Ganapati Panda, and Babita Majhi. 2016. Sentiment analysis of twitter data for predicting stock market movements. In *Proceedings of 2016 International Conference on Signal Processing, Communication, Power and Embedded System*. IEEE, Rajaseetapuram, India, pages 1345–1350.

Temporal input: $x_t = [c_t, p_t]$

Corpus embedding c_t

- ▶ **Multiple** tweets with **varied quality**
- ▶ Message embedding: Bi-GRU
- ▶ Corpus embedding: messages composition with **salience**

$$u_t = \text{softmax}(w_u^T \tanh(W_{m,u} M_t))$$

$$c_t = M_t u_t^T$$

Historical price vector p_t

- ▶ Price signals: the adjusted closing, highest and lowest

$$\tilde{p}_t = [\tilde{p}_t^c, \tilde{p}_t^h, \tilde{p}_t^l]$$

- ▶ Normalization

$$p_t = \tilde{p}_t / \tilde{p}_{t-1}^c - 1$$

Appendix - Variational Inference

Latent factorization

$$q_{\phi}(Z|X, y) = \prod_{t=1}^T q_{\phi}(z_t | z_{<t}, x_{\leq t}, y_t)$$

Likelihood equation

$$\begin{aligned} & \log p_{\theta}(y|X) \\ &= D_{\text{KL}}[q_{\phi}(Z|X, y) \parallel p_{\theta}(Z|X, y)] \\ &+ \mathbb{E}_{q_{\phi}(Z|X, y)}[\log p_{\theta}(y|X, Z)] \\ &- D_{\text{KL}}[q_{\phi}(Z|X, y) \parallel p_{\theta}(Z|X)] \end{aligned}$$

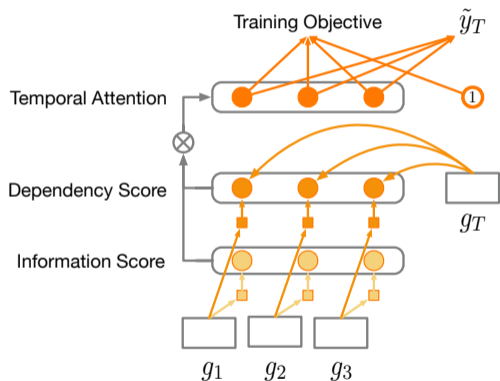
Recurrent ELBO

$$\begin{aligned} & \mathcal{L}(\theta, \phi; X, y) \\ &= \sum_{t=1}^T \mathbb{E}_{q_{\phi}(z_t | z_{<t}, x_{\leq t}, y_t)} \left\{ \log p_{\theta}(y_t | x_{\leq t}, z_{\leq t}) - \right. \\ & \quad \left. D_{\text{KL}}[q_{\phi}(z_t | z_{<t}, x_{\leq t}, y_t) \parallel p_{\theta}(z_t | z_{<t}, x_{\leq t})] \right\} \\ & \leq \log p_{\theta}(y|X) \end{aligned}$$

where the likelihood term

$$p_{\theta}(y_t | x_{\leq t}, z_{\leq t}) = \begin{cases} p_{\theta}(y_t | x_{\leq t}, z_t), & \text{if } t < T \\ p_{\theta}(y_T | X, Z), & \text{if } t = T. \end{cases}$$

Appendix - Attentive Temporal Auxiliary



- ▶ Information score

$$v'_i = w_i^T \tanh(W_{g,i} G^*)$$

- ▶ Dependency score

$$v'_d = g_T^T \tanh(W_{g,d} G^*)$$

- ▶ Integration

$$v^* = \zeta(v'_i \odot v'_d)$$

Appendix - Trading-day Alignment

- ▶ We reorganize our inputs, including the tweet corpora and historical prices, by aligning them to the T trading days in a lag
- ▶ Specifically, on the t th trading day, we recognize market signals from the corpus \mathcal{M}_t in $[d_{t-1}, d_t)$ and the historical prices p_t on d_{t-1} , for predicting the movement y_t on d_t

- ▶ Objective-level auxiliary can be regarded as a denoising regularizer: for a sample with a specific movement as the main target, the market source in the lag can be heterogeneous

Example

- Affected by bad news, tweets on earlier days are negative but turn to positive due to timely crises management
 - Without temporal auxiliary tasks, the model tries to identify positive signals on earlier days only for the main target of rise movement, which is likely to result in pure noise
- ▶ Temporal auxiliary tasks help to
 - Filter market sources in the lag as per their respective aligned auxiliary movements
 - Encode more useful information into the latent driven factor Z