

EXPLICIT SENTENCES AND SYNTACTIC COMPLEXITY

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French sentence (1) can be translated into English either by (2) or (3):

- (1) Leslie est étudiante
- (2) Leslie is a student
- (3) Leslie is a woman and Leslie is a student

It is clear however that neither (2) nor (3) can be considered as an "exact" translation of (1). Sentence (2) does not carry the information that Leslie is a woman and sentence (3) does not carry this information in the same way as (1); the fact that Leslie is a woman is presupposed by (1) whereas it is asserted by (3). In other words sentence (3) is more explicit than sentence (1). Following Keenan (1973) we will say that a sentence S is more explicit than a sentence T iff S and T have the same consequences but some presupposition of T is an assertion of S.

Not only translations can be more explicit. For instance (5) is more explicit than (4) since (4) presupposes (6) whereas (5) asserts (6):

- (4) Bill knows that Sue has phoned
- (5) Sue has phoned and Bill knows whether Sue has phoned or not
- (6) Sue has phoned

Roughly, defining sentences are more explicit than "defined" sentences. The question which we will try to answer in this paper is the following one: are more explicit sentences

this paper is the following one: are more explicit sentences syntactically more complex ones (notice that (3) is syntactically more complex than (1) as well as (5) is more complex than (4)).

We will show that at least for some simple languages this is indeed the case: more explicit sentences are syntactically more complex. We will consider essentially propositional categorial languages, i.e. languages in which we have only the category of sentences and the category of sentential operators. Since we will distinguish two types of consequences, presuppositions and assertions, our language must contain strongly intensional operators. A sentential operator O is said to be strongly intensional iff for every possible world \underline{w} and for every sentence P , if $O(P)$ is true at \underline{w} then there exist a sentence P' with the same truth value as P at \underline{w} and such that $O(P')$ is false at \underline{w} (P and P' must be contingent sentences). Classic modal operators are not strongly intensional.

Now a presupposition can be defined as a consequence which has an argument under the scope of a strongly opaque operator in the presupposing sentence. More precisely a sentence S presupposes a sentence T iff S semantically implies T and S is of the form $O(R)$ where O is a strongly intensional operator and R and T have a common argument. It can be shown that presupposition defined in this way is equivalent to the classical definition if one accepts a negation which preserves intensionality (cf. Zuber 1980). Now given a simple measure of syntactic complexity and the above definition of presupposition the following property for our propositional language holds:

If S is more explicit than T , then S is syntactically more complex than T .

References:

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