Supplementary Material of: Do Neural Network Cross-Modal Mappings Really Bridge Modalities?

Guillem Collell and Marie-Francine Moens Department of Computer Science KU Leuven

gcollell@kuleuven.be ; sien.moens@cs.kuleuven.be

1 Hyperparameters and Implementation

Hyperparameters (including number of epochs) are chosen by 5 fold cross-validation (CV) optimizing for the test loss. Crucially, we ensure that all mappings are learned properly by verifying that the training loss steadily decreases. We search learning rates in $\{0.01, 0.001, 0.0001\}$ and number of hidden units (d_h) in $\{64, 128, 256, 512, 1024\}$.

Using different number of hidden units (and selecting the best-performing one) is important in order to guarantee that our conclusions are not influenced or just a product of underfitting or overfitting. Similarly, we learned the mappings at different levels of dropout $\{0.25, 0.5, 0.75\}$ which did not yield any improvement w.r.t. zero dropout (shown in our results).

We use a ReLu activation, the RMSprop optimizer ($\rho = 0.9$, $\epsilon = 10^{-8}$) and a batch size of 64. We find that sigmoid and tanh yield similar results as ReLu. Our implementation is in Keras (Chollet et al., 2015).

Since ImageNet does not have any set of "test concepts", we employ 5-fold CV. Reported results are either averages on 5 folds (ImageNet) or 5 runs with different model weights initializations (IAPR TC-12 and Wiki).

For the *max-margin* loss, we choose the margin γ by cross-validation and explore values within $\{1, 2.5, 5, 7.5, 10\}$.

2 Textual Feature Extraction

Unlike ImageNet where we associate a word embedding to each concept, the textual modality in IAPR TC-12 and Wiki consists of sentences. In order to extract state-of-the art textual features in these datasets we train the following, separate network (prior to the cross-modal mapping). First, the embedded input sentences are passed to a bidirectional GRU of 64 units, then fed into a fully-connected layer, followed by a cross-entropy loss on the vector of class labels. We collect the 64-d averaged GRU hidden states of both directions as features. The network is trained with the Adam optimizer.

In Wiki and IAPR TC-12 we verify that the extracted text and image features are indeed informative and useful by computing their mean average precision (mAP) in retrieval (considering that a document B is relevant for document A if A and B share at least one class label). In Wiki we find mAPs of: biGRU = 0.77, ResNet = 0.22 and vgg128 = 0.21. In IAPR TC-12 we find mAPs of: biGRU = 0.77, ResNet = 0.49 and vgg128 = 0.46. Notice that ImageNet has a single data point per class in our setting, and thus mAP cannot be computed. However, we employ standard GloVe, word2vec, VGG-128 and ResNet vectors in ImageNet, which are known to perform well.

3 Additional Results

Results with mNNO(X, Y) (omitted in the main paper for space reasons): Interestingly, the similarity mNNO(X, Y) between original input X and output Y vectors is generally low (between 1.5 and 2.3), indicating that these spaces are originally quite different. However, mNNO(X, Y) always remains lower than mNNO(f(X), Y), indicating thus that the mapping makes a difference.

3.1 Experiment 1

3.1.1 Results with 3 and 5 layers

			ResNet		VGG	-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
et	$I \rightarrow T$	nn-3	0.571	0.279	0.602	0.258
eN	$I \rightarrow I$	nn-5	0.615	0.275	0.644	0.255
ImageNet	$T \rightarrow I$	nn-3	0.274	0.27	0.254	0.256
In	$1 \rightarrow 1$	nn-3	0.286	0.274	0.273	0.259
υ	$I \rightarrow T$	nn-5	0.301	0.225	0.288	0.181
R TC	$1 \rightarrow 1$	nn-3	0.29	0.227	0.308	0.184
APR	$T \rightarrow I$	nn-3	0.324	0.229	0.294	0.18
I∧	$1 \rightarrow 1$	nn-5	0.355	0.232	0.339	0.183
	$I \rightarrow T$	nn-3	0.227	0.159	0.247	0.144
Wiki	$1 \rightarrow 1$	nn-5	0.275	0.163	0.262	0.146
W.	$T \rightarrow I$	nn-3	0.367	0.148	0.342	0.145
	$I \rightarrow I$	nn-5	0.412	0.152	0.428	0.147

Table 1: Test mean nearest neighbor overlap with 3- and 5-hidden layer neural networks, using cosine-based neighbors and MSE loss. Boldface indicates best performance between each $mNNO^{10}(X, f(X))$ and $mNNO^{10}(Y, f(X))$ pair, which are abbreviated by X, f(X) and Y, f(X).

It is interesting to notice that even though the difference between $mNNO^{10}(X, f(X))$ and $mNNO^{10}(Y, f(X))$ has narrowed down w.r.t. the linear and 1-hidden layer models (in the main paper) in some cases (e.g., ImageNet), this does not seem to be caused by better predictions, i.e., an increase of $mNNO^{10}(Y, f(X))$, but rather by a decrease of $mNNO^{10}(X, f(X))$. This is expected since with more layers the information about the input is less preserved.

		ResNet		VGG	-128
		X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
$I \setminus T$	nn-3	0.562	0.243	0.574	0.229
$1 \rightarrow 1$	nn-5	0.61	0.241	0.619	0.227
$T \rightarrow I$	nn-3	0.252	0.263	0.23	0.244
$1 \rightarrow 1$	nn-3	0.261	0.264	0.243	0.242
$I \setminus T$	nn-5	0.275	0.208	0.259	0.174
$1 \rightarrow 1$	nn-3	0.262	0.207	0.276	0.174
$T \rightarrow I$	nn-3	0.312	0.215	0.27	0.168
$1 \rightarrow 1$	nn-5	0.351	0.218	0.315	0.17
$I \setminus T$	nn-3	0.219	0.15	0.239	0.14
$1 \rightarrow 1$	nn-5	0.259	0.152	0.25	0.143
$T \setminus I$	nn-3	0.375	0.145	0.363	0.134
$I \rightarrow I$	nn-5	0.431	0.144	0.426	0.135
	$I \to T$ $T \to I$ $I \to T$ $T \to I$ $I \to T$ $T \to I$	$\begin{array}{ccc} I \rightarrow T & \text{nn-5} \\ \hline & \text{nn-3} \\ T \rightarrow I & \text{nn-3} \\ \hline & \text{nn-3} \\ I \rightarrow T & \text{nn-5} \\ \hline & \text{nn-3} \\ T \rightarrow I & \text{nn-3} \\ \hline & \text{nn-5} \\ \hline & T \rightarrow I & \text{nn-3} \\ \hline & T \rightarrow I & \text{nn-3} \\ \end{array}$	$\begin{array}{c cccc} & X, f(X) \\ \hline I \to T & {\rm nn-3} & {\bf 0.562} \\ {\rm nn-5} & {\bf 0.61} \\ \hline T \to I & {\rm nn-3} & {\rm 0.252} \\ {\rm nn-3} & {\rm 0.261} \\ \hline I \to T & {\rm nn-5} & {\bf 0.275} \\ {\rm nn-3} & {\bf 0.262} \\ \hline T \to I & {\rm nn-3} & {\bf 0.312} \\ {\rm nn-5} & {\bf 0.351} \\ \hline I \to T & {\rm nn-3} & {\bf 0.219} \\ {\rm nn-5} & {\bf 0.259} \\ \hline T \to I & {\rm nn-3} & {\bf 0.375} \\ \hline \end{array}$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

Table 2: Test mean nearest neighbor overlap with 3- and 5-hidden layer neural networks, using Euclidean neighbors and MSE loss.

3.1.2 Results with the max margin loss

			Res	Net	VGG	-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
et	$I \rightarrow T$	lin	0.739	0.253	0.779	0.235
ImageNet	$1 \rightarrow 1$	nn	0.769	0.233	0.736	0.238
lag	$T \rightarrow I$	lin	0.526	0.252	0.454	0.241
In	$1 \rightarrow 1$	nn	0.419	0.23	0.378	0.22
υ	$I \rightarrow T$	lin	0.423	0.205	0.441	0.164
R TC	$1 \rightarrow 1$	nn	0.291	0.179	0.36	0.16
IAPR	$T \to I$	lin	0.674	0.198	0.604	0.17
I∧		nn	0.592	0.215	0.529	0.176
	$I \rightarrow T$	lin	0.366	0.156	0.333	0.152
ki.	$1 \rightarrow 1$	nn	0.236	0.153	0.399	0.153
Wiki	$T \rightarrow I$	lin	0.725	0.151	0.723	0.146
	$1 \rightarrow 1$	nn	0.701	0.151	0.662	0.146

Table 3: Test mean nearest neighbor overlap with cosine-based neighbors and max margin loss.

			Res	ResNet		-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
et	$I \rightarrow T$	lin	0.762	0.229	0.776	0.209
ImageNet	$1 \rightarrow 1$	nn	0.776	0.213	0.724	0.214
lag	$T \rightarrow I$	lin	0.49	0.241	0.418	0.225
In	$1 \rightarrow 1$	nn	0.384	0.221	0.343	0.212
υ	$I \rightarrow T$	lin	0.409	0.195	0.447	0.155
APR TC	$I \rightarrow I$	nn	0.275	0.172	0.329	0.15
NPF	$T \rightarrow I$	lin	0.685	0.189	0.619	0.158
Ι	$1 \rightarrow 1$	nn	0.558	0.201	0.49	0.162
	$I \rightarrow T$	lin	0.38	0.154	0.339	0.142
Wiki	$1 \rightarrow 1$	nn	0.232	0.144	0.398	0.141
M	$T \rightarrow I$	lin	0.789	0.143	0.773	0.135
	$1 \rightarrow 1$	nn	0.724	0.14	0.723	0.135

Table 4: Test mean nearest neighbor overlap with Euclidean-based neighbors and max margin loss.

3.1.3 Results with the cosine loss

			Res	Net	VGG	-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
et	$I \rightarrow T$	lin	0.697	0.268	0.812	0.244
ImageNet	$I \rightarrow I$	nn	0.58	0.28	0.629	0.256
lag	$T \rightarrow I$	lin	0.382	0.241	0.336	0.224
In	$1 \rightarrow 1$	nn	0.346	0.277	0.331	0.237
υ	$I \rightarrow T$	lin	0.37	0.213	0.594	0.162
R TC	$1 \rightarrow 1$	nn	0.35	0.234	0.516	0.158
IAPR	$T \to I$	lin	0.469	0.205	0.405	0.169
I∧		nn	0.386	0.226	0.338	0.185
	$I \rightarrow T$	lin	0.26	0.157	0.621	0.143
ki.	$1 \rightarrow 1$	nn	0.213	0.156	0.281	0.15
Wiki	$T \rightarrow I$	lin	0.549	0.157	0.53	0.154
	$T \to I$	nn	0.642	0.151	0.547	0.149

Table 5: Test mean nearest neighbor overlap with cosine-based neighbors and cosine loss.

			Res	Net	VGG	-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
et	$I \rightarrow T$	lin	0.698	0.236	0.812	0.218
ImageNet	$1 \rightarrow 1$	nn	0.562	0.238	0.597	0.218
lag	$T \rightarrow I$	lin	0.36	0.225	0.319	0.209
In	$1 \rightarrow 1$	nn	0.28	0.221	0.288	0.205
υ	$I \rightarrow T$	lin	0.351	0.197	0.596	0.152
APR TC	$I \rightarrow I$	nn	0.295	0.201	0.452	0.144
ΔPF	$T \rightarrow I$	lin	0.475	0.184	0.409	0.153
I∧		nn	0.359	0.193	0.29	0.158
	$I \rightarrow T$	lin	0.259	0.149	0.619	0.133
Wiki	$1 \rightarrow 1$	nn	0.212	0.147	0.262	0.144
M.	$T \rightarrow I$	lin	0.527	0.147	0.496	0.137
	$1 \rightarrow 1$	nn	0.578	0.143	0.51	0.135

Table 6: Test mean nearest neighbor overlap with Euclidean-based neighbors and cosine loss.

			Res	Net	VGG-	-128
			X, f(X)	Y, f(X)	X, f(X)	Y, f(X)
ImageNet	$I \rightarrow T$	lin nn	0.671 0.61	0.228 0.234	0.695 0.665	0.209 0.219
	$T \rightarrow I$	lin nn	0.372 0.332	0.233 0.258	0.326 0.298	0.218 0.242
IAPR TC	$I \to T$	lin nn	0.341 0.3	0.194 0.203	0.385 0.318	0.156 0.17
IAPF	$T \rightarrow I$	lin nn	0.504 0.421	0.188 0.21	0.431 0.363	0.156 0.169
Wiki	$I \rightarrow T$	lin nn	0.245 0.261	0.146 0.151	0.235 0.269	0.141 0.143
M	$T \rightarrow I$	lin nn	0.564 0.539	0.149 0.149	0.555 0.529	0.135 0.14

3.1.4 Results with Euclidean Neighbors (*nn* and *lin* models of the paper)

Table 7: Test mean nearest neighbor overlap with Euclidean-based neighbors and MSE loss. Boldface indicates best performance between each $mNNO^{10}(X, f(X))$ and $mNNO^{10}(Y, f(X))$ pair, which are abbreviated by X, f(X) and Y, f(X).

		Res	Net	VGG-128		
		X, f(X)	X, f(X) = Y, f(X) = X,		Y, f(X)	
$I \to T$	lin	0.57	0.16	0.644	0.159	
	nn	0.546	0.179	0.64	0.171	
$T \rightarrow I$	lin	0.325	0.206	0.283	0.2	
	nn	0.283	0.236	0.259	0.223	

Table 8: Test *mNNO* with Euclidean-based neighbors in **ImageNet** dataset, using *word2vec* word embeddings.

3.1.5 Results with word2vec in ImageNet (cosine-based neighbors)

		ResNet		VGG-128		
		X, f(X) = Y, f(X)		X, f(X)	Y, f(X)	
$\overline{I \to T}$	lin	0.61	0.232	0.674	0.221	
$I \rightarrow I$	nn	0.578	0.253	0.666	0.236	
$T \rightarrow I$	lin	0.364	0.213	0.348	0.21	
	nn	0.356	0.245	0.331	0.234	

Table 9: Test *mNNO* using cosine-based neighbors in **ImageNet**, using *word2vec* word embeddings.

3.2 Experiment 2

	WS	-353	М	Men		Sim
	Cos	Eucl	Cos	Eucl	Cos	Eucl
$\overline{f_{nn}(word2vec)}$	0.665	0.636	0.782	0.781	0.729	0.719
$f_{\rm lin}({\rm word2vec})$	0.67	0.527	0.785	0.696	0.737	0.616
word2vec	0.669	0.533	0.787	0.701	0.742	0.62
$\overline{f_{nn}(VGG-128)}$	0.44	0.433	0.588	0.585	0.521	0.513
$f_{\rm lin}(\rm VGG-128)$	0.445	0.301	0.593	0.496	0.531	0.344
VGG-128	0.448	0.307	0.593	0.496	0.534	0.344
	Vis	Sim	Sim	Lex	SimV	/erb
	Cos	Eucl	Cos	Eucl	Cos	Eucl
$f_{nn}(word2vec)$	0.566	0.567	0.419	0.379	0.309	0.232
$f_{\rm lin}({\rm word2vec})$	0.572	0.507	0.429	0.275	0.328	0.174
word2vec	0.576	0.51	0.435	0.279	0.308	0.15
$\overline{f_{nn}(VGG-128)}$	0.551	0.547	0.404	0.399	0.231	0.235
$f_{\rm lin}(\rm VGG-128)$	0.56	0.404	0.406	0.335	0.23	0.316
VGG-128	0.56	0.403	0.406	0.335	0.235	0.329

Table 10: Spearman correlations between human ratings and similarities (cosine or Euclidean) predicted from the embeddings, using *word2vec* and *VGG-128* embeddings.

References

François Chollet et al. 2015. Keras. https://github.com/keras-team/keras.