# Enhancing a large scale dictionary with a two-level system

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### **1** Introduction

We present in this paper a morphological analyzer and generator for French that contains a dictionary of 700,000 inflected words called DELAF<sup>1</sup>, and a full twolevel system aimed at the analysis of new derivatives. Hence, this tool recognizes and generates both correct inflected forms of French simple words (DELAF lookup procedure) and new derivatives and their inflected forms (two-level analysis). Moreover, a clear distinction is made between dictionary look-up processes and new words analyses in order to clearly identify the analyses that involve heuristic rules.

We tested this tool upon a French corpus of 1,300,000 words with significant results (Clemenceau D. 1992). With regards to efficiency, since this tool is compiled into a unique transducer, it provides a very fast look-up procedure (1,100 words per second) at a low memory cost (around 1.3 Mb in RAM).

## 2 Description of the analyzer

We first built the transducer representing all the entries of DELAF along with their inflectionnal code. Each entry defines a partial function, as in:

inculpons  $\leftrightarrow$  inculper,V&P1p which corresponds to the first person plural in the present tense of the verb inculper (to charge someone). The union of these 700,000 partial functions leads to the transducer *DELAF* stored in 1Mb with a look-up procedure of 1,100 words per second.

The 70 two-level rules that describe the way characters are changed when prefixes or suffixes are added to words are themselves transducers (Karttunen *et al.*, 1992). The two following two-level rules generate the two surface forms *coïnculper* and *co-inculper* when adding the prefix *co-* to the verb *inculper*;

i:ï	⇔	c o -:0 *
i:i	⇐=	c o -:- *
-		1 1

These 70 transducers have been merged into the transducer *Rules* by performing an intersection.

The two transducers above have been merged with four different DAGs, *Pref, Suf, DELAS* and *DELAF\_A*, representing respectively a list of prefixes, a list of suffixes, the list of canonical forms (infinitive form of a verb for instance) and the whole list of the 700,000 inflected forms appearing in DELAF through the following formula:  $[Trans((Pref \bullet DELAS) \cap Suf) \cap Rules] \cup [(Trans(Pref \bullet DELAF_A) \cap Rules) \circ (Id(Pref \bullet DELAF)]^2$ 

This operation leads to the transducer of 1.3Mb with a look-up procedure of 1,100 words per second, a sample of which is given in the following figure:



### 3 Results

We tested this transducer on a 1,300,000 words corpus containing 58,000 different graphical forms. Our transducer analyzed 75% of these graphical forms, which is 3% more that the transducer of DELAF alone, at a speed of 1,100 words per second. Hence, more than 97% of the word occurrences of our corpus have been analyzed in the following way:

algorithmisation  $\leftrightarrow$  algorithme, N\*iser, V\*Ation, N\*.f\*.s

#### References

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<sup>&</sup>lt;sup>1</sup>DELAF stands for Electronic Dictionary of Inflected Forms of the LADL (Courtois, 1990).

<sup>&</sup>lt;sup>2</sup>Trans takes a DAG A and builds the transducer Trans(A) whose language is  $L(A) \times A^*$ . Id takes a DAG A and builds the identity function restricted to L(A). The operators  $\bullet$  and o respectively stand for concatenation and composition.