Sentence-Level Confidence Estimation for MT

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Outline

The task of Confidence Estimation for Machine Translation

□ Approach

□ Features

Algorithms

Method

Experiments

- Scenario 1: providing score to the end-user that is as close as possible to a human score
- □ Scenario 2: filtering out bad translations for professional translators



The task of CE for MT

Goal: given the output of a Machine Translation (MT) system for a given input, provide an estimate of its **quality**.

Motivation: assessing the quality of translations is
 Time consuming:

Los investigadores dicen gripe porcina tiene «pleno potencial pandémico", difundiendo rápidamente entre las personas y es probable que vaya mundial en los próximos seis a nueve meses, con uno de cada tres de la población mundial infectada.

Not possible - if user does not know the source language:



The task of CE for MT

Uses:

Is it worth providing this translation as suggestion to the professional translator?

 Filter out "bad" translations to avoid professional translators wasting time reading / post-editing them.

> Should this translation be highlighted as "suspect" to the reader?

- Make end-users aware of the translation quality.



General approach

- Different from MT evaluation (BLEU, NIST, etc): reference translations are NOT available
- **Unit**: word, phrase or sentence
- Embedded to SMT system (word or phrase probabilities) or dedicated layer (machine learning problem)
- Traditional approach:
 - Binary problem: distinguish between good and bad translations

Training data: data automatically annotated with NIST/BLEU or manually annotated (e.g. 1-5 scores)



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 Continuous score
- Training data: data automatically annotated with NIST/BLEU or manually annotated (e.g. 1-5 scores), from several MT systems, text domains and language pairs



Method

- n Identify and extract information sources.
- n **Refine the set of information sources** to keep only the relevant ones
 - Increase performance
- n Learn a model to produce quality scores
 - Regression algorithm
- n **Apply the model to predict quality scores** for new translations



Features

□ Resource & language independent features

- □ Black-box (77): from the input and translation sentences, monolingual or parallel corpora, e.g.:
 - Source and target sentence lengths and their ratios
 - Language model and other statistics in the corpus
 - Shallow syntax checking (target and target against source)
 - Average number of possible translations per source word (SMT)

Practical scenario:

- □ Useful when it is not possible to have **access to internal features** of the MT systems (commercial systems, e.g.).
- Provides a way to perform the task of CE across different
 MT systems, which may use different frameworks.



Features

□ Glass-box (54): depend on some aspect of the translation process, e.g.:

- Language model (target) using n-best list word/phrase-based
- Proximity with other hypothesis in the n-best list
- MT base model features
 - Distortion count, gap count, (compositional) bi-phrase probability
- Search nodes in the graph (aborted, pruned)
- Proportion of unknown words in the source

□ Richer scenario:

When it is possible to have access to internal features of the MT systems.



Learning methods

Feature selection: Partial Least Squares (PLS)

□ Regression: PLS, SVM



Partial Least Square Regression

- Projects the original data onto a different space of latent variables (or "components")
- Used to find the fundamental relations between two matrices (input X and Y response variables): tries to find the multidimensional direction in the X space that explains the maximum variance direction in the Y space
 - Provides by-product an ordering of the original features according to their importance
- Particularly indicated when the features in X are strongly correlated (**multicollinearity**) → the case in our datasets



Partial Least Square Regression

Ordinary multiple regression problem:

$$Y = XB_w + F$$

Where:

- B_w is the regression matrix computed directly using an optimal number of components.
- F is the residual matrix.
- When X is standardized, an element of B_w with large absolute value indicates an important X-variable.



- Method:
 - Compute the B_w matrix on some training data for different numbers of components (all possible)
 - ♦ Sort the absolute value of the b_w-coefficients. This produces a list of features from the most important to the less important (L_b)
 - Select the top n features (and number of components) on a validation set
 - Produce predictions using these n features on a test set
 - Evaluate predictions using appropriate metrics



Method:

- Compute the B_w matrix on some training data for different numbers of components (all possible)
- ♦ Sort the absolute value of the b_w-coefficients. This produces a list of features from the most important to the less important (L_b)
- Done for each *i-th* training subsample: obtain several $L_b(i)$

66	7	 35	10
44	56	 9	10
66	56	35	9

The final list L is obtained picking the most "voted" features for each column (mode): L = {66, 56, ..., 35, 10}



Method:

- Compute the B_w matrix on some training data for different numbers of components (all possible)
- Sort the absolute value of the b_w-coefficients. This produces a list of features from the most important to the less important (L_b)
- Select the top n features (and number of components) on a validation set
- Add one feature one by one
- Analyze learning curves to verify the prediction error
- Select the top *n* features and the number of components that minimize the prediction error



Method:

- Compute the B_w matrix on some training data for different numbers of components (all possible)
- Sort the absolute value of the b_w-coefficients. This produces a list of features from the most important to the less important (L_b)
- Select the top *n* features (and number of components) on a validation set
- Produce predictions using these n features on a test set
 - PLS for regression



Method:

- Compute the B_w matrix on some training data for different numbers of components (all possible)
- Sort the absolute value of the b_w-coefficients. This produces a list of features from the most important to the less important (L_b)
- Select the top *n* features on a validation set
- Produce predictions using these n features on a test set
- Evaluate predictions using appropriate metrics
 Root Mean Square Error (RMSPE) over all subsamples

$$RMSPE = \sqrt{\frac{1}{N} \sum_{j=1}^{N} (y_j - \hat{y}_j)^2}$$



WMT-2008 Europarl English-Spanish dev and test data

♦4K Translations: SMT systems trained on 1.4M parallel sentences: Matrax, Portage, Sinuhe and MMR (P-ES-1, P-ES-2, P-ES-3 and P-ES-4).

Quality score: 1-4

1: requires complete retranslation	2: editing quicker than retranslation
3: a little post editing needed	4: fit for purpose

Features: Matrax (131), others 77 black-box.

MT	RMSPE	RMSPE all features
P-ES-1gb	0.690 ± 0.052	0.780 ± 0.385
P-ES-1	0.706 ± 0.059	0.793 ± 0.643
P-ES-2	0.653 ± 0.114	0.750 ± 0.541
P-ES-3	0.718 ± 0.144	0.745 ± 0.287
P-ES-4	0.603 ± 0.262	1.550 ± 3.551



CE x best features (Pearson's correlation):





CE score x MT metrics: Pearson's correlation:





CE score x MT metrics: Pearson's correlation across datasets (MT systems, language-pairs and text domains):

Test set	BLEU	NIST	TER	Meteor	Training set	CE score
en-es Matrax	0.296	0.254	-0.268	0.337	en-es Matrax en-es Portage en-es Sinuhe en-es MMR en-dk Matrax	$0.542 \\ 0.478 \\ 0.517 \\ 0.423 \\ 0.390$
en-es Sinuhe	0.209	0.195	-0.168	0.240	en-es Matrax en-es Portage en-es Sinuhe en-es MMR en-dk Matrax	0.547 0.531 0.562 0.442 0.400



Filter out bad translations (1-2) for professional translators

• Average human scores in the top *n* translations:





Filter out bad translations

• Number of good (bad) translations in the top (bottom) *n* translations:





Scenario 2: better way to use the CE score for filtering out bad translations

- Use a technique to dynamically identify the threshold in the continuous score for bad/good translations
 - Controls the balance between precision and recall based on some expected confidence level
 - Higher confidence level → higher precision
 - In our scenario: precision is more relevant: guarantee that sentences selected as 'good' are indeed good - minimize false positives
- Technique:
 - Conformal prediction [Vovk, Gammerman & Shafer 2005]
 - Inductive Confidence Machine (ICM) [Papadopoulos et al. 2002]



Given a pre-defined **confidence level** $1-\delta$, predict a region:

 $\{y:p(y)>\delta\}$

- Split a training set $\{(x_1, y_1), \dots, (x_l, y_l)\}$ of *l* examples into:
 - A proper training set $\{(x_1, y_1), \dots, (x_m, y_m)\}$ with $m \le l$ elements
 - A calibration set $\{(x_{m+1}, y_{m+1}), \dots, (x_l, y_l)\}$ with k:=l-m elements

Train a standard regression model on the proper training set

Apply it the calibration set, and define a strangeness measure:

$$\alpha_i \coloneqq \Delta(\hat{y}_{m+i}, y_{m+i}), \quad i = 1, \dots, k.$$

The p-value associated with a potential label y_{k+1} is:

$$p(y_{k+1}) := \frac{\#\{i=1,\ldots,k:\alpha_i \ge \alpha_{k+1}\}}{k+1}.$$



Establishing the expected precision:

- Confidence level 1- δ : expected precision
- \blacklozenge Search for a confidence threshold ρ of the regression predictions
 - A certain percent (e.g. 90%) of the predictions that $\geq \rho$ will have their true scores $\geq \tau$
- For a fixed ρ , only consider those examples $y^* = f(x^*) \ge \rho$
- Strangeness measure:

$$\alpha_i \coloneqq \operatorname{sgn}(\tau - y_{m+i}) \cdot (\hat{y}_{m+i} - \rho)$$

Binary search:

1.
$$L \leftarrow \min(\hat{\mathbf{y}}), U \leftarrow \max(\hat{\mathbf{y}});$$

2. $S \leftarrow \{i \mid L \leq \hat{y}_{m+i} \leq U\};$
3. $\rho \leftarrow \operatorname{median}(\hat{\mathbf{y}}_{S}), \hat{\delta} \leftarrow \frac{\left|\{i \mid \hat{y}_{m+i} \geq \rho, y_{m+i} \leq \tau\}\right|}{\left|\{j \mid \hat{y}_{m+j} \geq \rho\}\right|};$
4. if $\hat{\delta} = \delta$ or $L = U$ then return ρ ;
5. else if $\hat{\delta} < \delta$ then $L \leftarrow \rho$;
6. else if $\hat{\delta} > \delta$ then $U \leftarrow \rho$;
7. goto 2;











◆PLS x PLS+ICM (confidence levels = 95% and 90%)

τ	Model	Precision	Recall
	PLS	$92.86 {\pm} 0.81$	91.84 ± 0.81
2	ICM $\delta = 0.05$	$95.31 {\pm} 0.77$	73.01 ± 5.67
	ICM $\delta = 0.1$	$91.37 {\pm} 0.97$	99.43±1.13
	PLS	91.45 ± 1.81	25.01 ± 3.54
3	ICM $\delta = 0.05$	94.22 ± 7.10	17.46 ± 1.23
	ICM $\delta = 0.1$	88.18 ± 5.97	30.68 ± 1.27

PLS+ICM x SVM multi-class and SVM binary (precision, confidence level = 90%)

τ	SVM 4-classes	SVM binary	PLS+ICM
2	91.60 ± 0.62	90.99 ± 0.95	90.88±1.26
3	50.09 ± 1.61	69.19±0.97	87.94±7.33



Discussion

- Results considered to be satisfactory
 - Error would yield uncertainty in the boundaries between two adjacent categories in the 1-4 datasets
- Results for estimating a given type of score are similar across different systems and language pairs
- Results correlate better with human scores than those of metrics using reference translations
 - Also true for models trained in **different datasets**
- Using ICM to threshold good/bad translations better than:
 - Using pre-defined threshold
 - Using classifiers to estimate 1-4 or good/bad scores



On-going work

- Further investigate uses for the most relevant features:
 - Most relevant features are not those usually considered in SMT models. We plan to investigate whether they could be useful to improve the translations quality, e.g.:
 - To **complement** existing features in SMT models.
 - To rerank n-best lists produced by SMT systems, which could make use of the features that are not local to single hypotheses.



On-going work

- 2. Automatic metrics such as NIST aim at simulating how humans evaluate translations. We plan to investigate our findings with **human annotation** for **MT evaluation**, e.g.:
 - To provide additional features to reference-based metrics based on ML algorithms, like (Albrecht, J. and R. Hwa, 2007)
 - To provide a **score** to be combined with other MT evaluation metrics, like ULC (Gimenez and Marquez, 2008)
 - To provide a new evaluation metric on itself, with some function to optimize the correlation with human annotations, without the need of reference translations.



Thanks!

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Researchers say swine flu has "full pandemic potential", spreading readily between people and is likely to go global in the next six to nine months, with one in three of the world's population infected.

BBC News, 12/05/09



Validity of the *P*-value

- Valid *p*-value: $P\{p(y) \le \delta\} \le \delta$
- Assume that the calibration data and an arbitrary new test example are i.i.d drawn according to a fixed distribution D
- The active calibration examples $(\hat{y}_{m+i}^* \ge \rho)$ are drawn i.i.d from the conditional distribution $D^*:=D\{(x,y)|f(x) \ge \rho\}$
- Assume the current data sequence is produced by
 - Generating an unordered set
 - Assigning a permutation to it
- The probability of the test example being selected as the last one is $k^*!/(k^*+1)!=1/(k^*+1)$
- $p(y_{k+1}^*) \leq \delta$ if and only if $\alpha(\hat{y}_{k+1}^*, y_{k+1}^*)$ is among the $\lfloor \delta(k^*+1) \rfloor$ largest α s

$$P\{p(y_{k^{*}+1}^{*}) \leq \delta\} = \frac{1}{k^{*}+1} \lfloor \delta(k^{*}+1) \rfloor \leq \delta$$